Introduction

Target:

Build a model which relates Diracness of neutrinos with the stability of a potential scalar dark matter candidate.

- Motivation:
 - Majorana nature of neutrinos not experimentally determined (yet).
 - There are many more models with Majorana neutrinos than Dirac ones.
 - Dark matter problem still opened.

The model

- Standard Model gauge group.
- New particles (singlets under gauge group):
 - Fermion N with the two helicities.
 - Real scalar χ with non-vanishing vev.
 - Real scalar η.
 - Complex scalar ζ .
- Global symmetry under $Z4\otimes Z2$.

The model

- The transformation rules of the fields under Z4⊗Z2 have to be arranged in such a way that:
 - Neutrinos are Dirac particles.
 - Neutrino masses are small in a natural way.
 - One of the scalars must be stable to be a viable DM candidate

Neutrino Diracness

- Z4 is the symmetry which ensures Dirac nature of neutrinos.
- After SSB, scalars with vev will break all symetries under which they transform non-trivially. Therefore, Φ and χ must transform with the identity under Z4.
- Majorana terms must be forbidden at all orders. For example:

$$\bar{\nu}_R \nu_R^{\mathcal{C}} \Phi^\dagger \Phi \chi$$

Smallness of neutrino masses

- Small neutrino masses can always be imposed by hand with small yukawa couplings.
- Seesaw mechanism is the most popular way of having a 'natural' (i.e. adimensional couplings of the same order) theory with small neutrino masses.
- Z2 symmetry role is to forbid the mass term between left and right neutrinos and therefore having a seesaw mass generation mechanism.

DM candidate

- We want the complex scalar ζ to be the DM particle.
- To be a viable DM candidate it must be stable and therefore interaction terms with fermions must be forbidden. Z4 can do this.
- Pretty result: The same symmetry responsible for having Dirac neutrinos ensures DM stability.

The model

• Taking all these into account, the transformation rules are:

Fields	\mathbb{Z}_4	\mathbb{Z}_2	Fields	\mathbb{Z}_4	\mathbb{Z}_2
$L_{i,L}$	\mathbf{Z}	1	$ u_{i,R} $	Z	-1
$l_{i,R}$	\mathbf{z}	1	$N_{i,L}$	\mathbf{Z}	1
$N_{i,R}$	Z	1			
Φ	1	1	χ	1	-1
ζ	\mathbf{Z}	1	η	\mathbf{z}^2	1

- With these charges under Z4⊗Z2 the previous conditions are satisfied, i.e:
 - Neutrinos are Dirac particles (via Z4).
 - Seesaw mechanism for neutrino masses (via Z2).
 - Stable scalar: DM candidate (via Z4).

Neutrino masses

 After SSB, the mass lagrangian for neutral fermions can be written as:

$$\mathcal{L}_m = \begin{pmatrix} \bar{\nu}_L & \bar{N}_L \end{pmatrix} \begin{pmatrix} 0 & f \frac{v}{\sqrt{2}} \\ gu & M \end{pmatrix} \begin{pmatrix} \nu_R \\ N_R \end{pmatrix}$$

Dirac seesaw. The perturbative diagonalization method gives:

$$M_{\nu} = \frac{uv}{\sqrt{2}} f M^{-1} g$$

• f, g and M are completely arbitrary 3x3 matrices. They can fit any neutrino data but explains nothing.

<u>arxiv</u>

Possible extensions

- One possibility is to change Z2 by a more complex symmetry, for example $\Delta(27)$.
- Three generations of each scalar with vev.
- Same main features than the original model (Dirac neutrinos, seesaw mechanism, DM candidate) with constraints in the couplings f, g and M that can explain CP violation parameters under certain assumptions.



Conclusions

Construction of a model (arxiv) with naturally light Dirac neutrinos and a DM candidate. The same symmetry Z4 that forbids Majorana terms even after SSB is the same that makes the scalar DM stable.

Simple model which can be easily extended to correlate CP violation with the χ vev alignment: Z2 $\rightarrow \Delta(27)$ (arxiv)