



UNIVERSITÀ
DI TORINO



Stefano Gariazzo

UniTO and INFN, Turin (IT)
IFIC (CSIC-UV), Valencia (ES)

stefano.gariazzo@unito.it

gariazzo@ific.uv.es



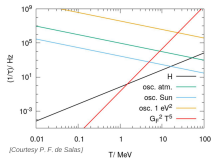
Neutrino non-standard scenarios in cosmology

Neutrinos from Home 2025, online conference

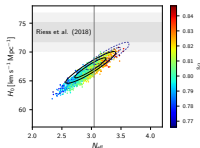
E

Neutrinos in the Early Universe

Based on

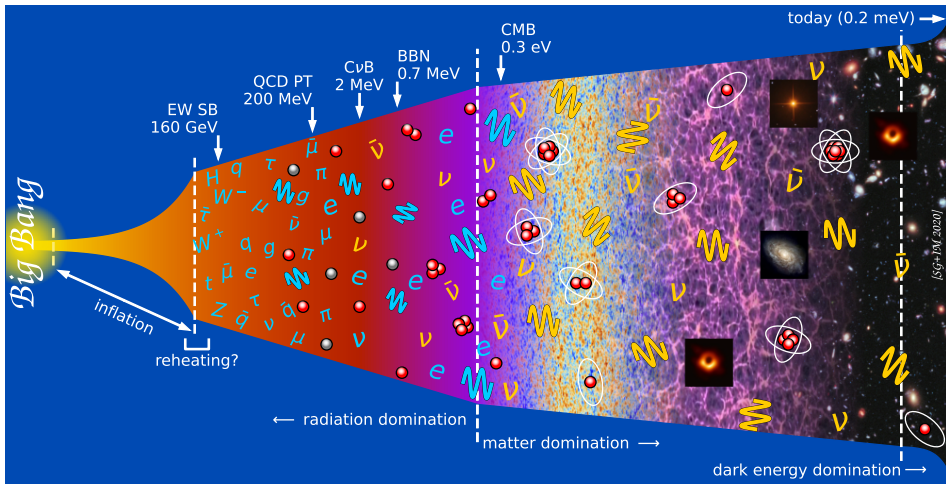


JCAP 04 (2021) 073

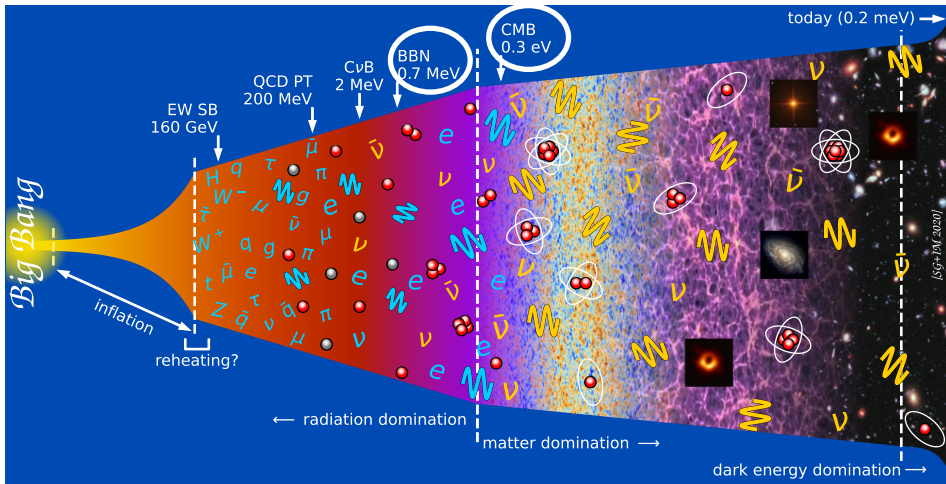


Planck 2018

History of the universe



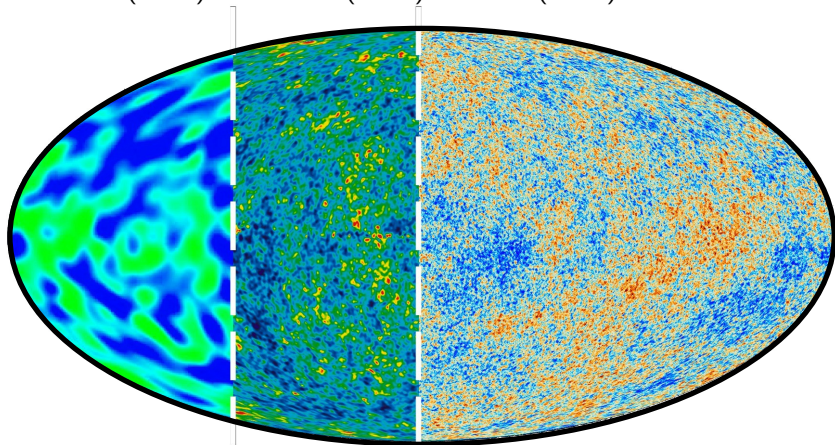
History of the universe

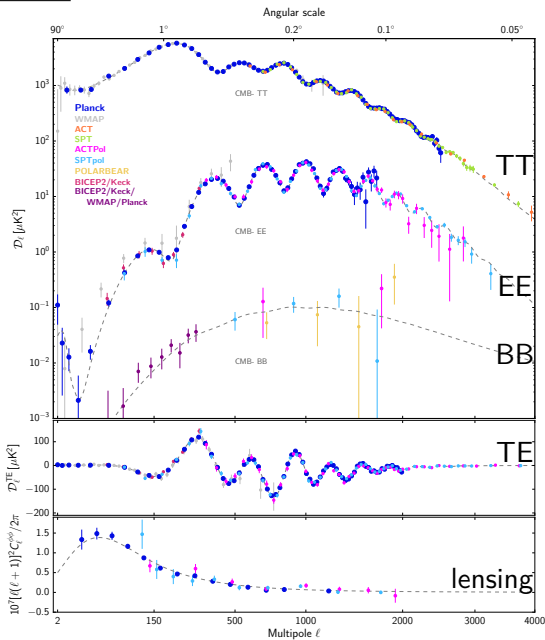
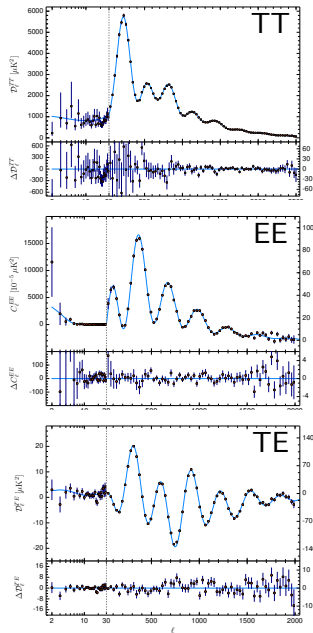


The oldest picture of the Universe

The Cosmic Microwave Background, generated at $t \simeq 4 \times 10^5$ years

COBE (1992) WMAP (2003) Planck (2013)





Big Bang Nucleosynthesis (BBN)

BBN: production of light nuclei at $t \sim 1\text{s}$ to $t \sim \mathcal{O}(10^2)\text{s}$

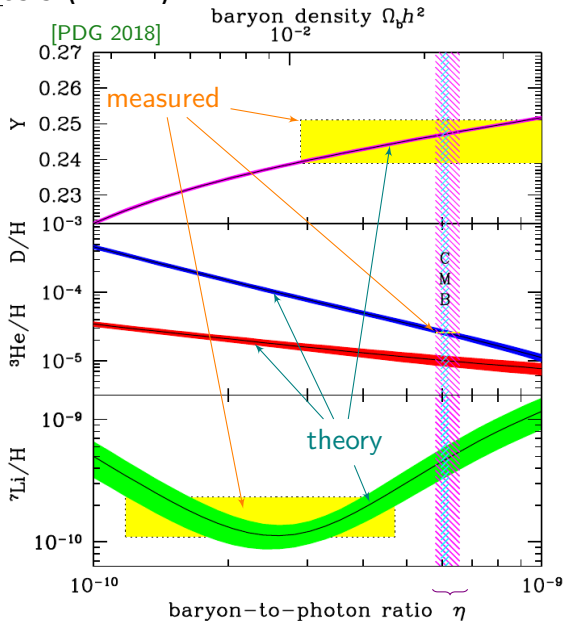
temperature $T_{fr} \simeq 1\text{ MeV}$
from nucleon freeze-out

much earlier than CMB!

strong probe for physics
before the CMB

e.g. neutrinos!

ν affect
universe expansion
and
reaction rates ($\nu_e/\bar{\nu}_e$)
at BBN time...



BBN concordance

Big Bang Nucleosynthesis (BBN)

BBN: production of light nuclei at $t \sim 1\text{s}$ to $t \sim \mathcal{O}(10^2)\text{s}$

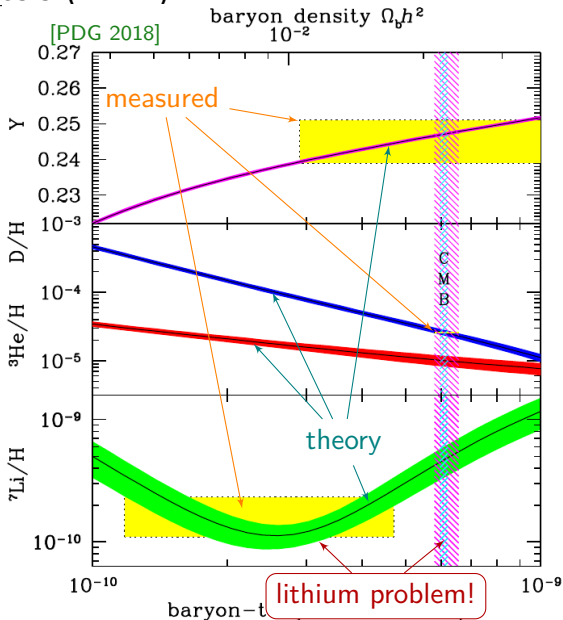
temperature $T_{fr} \simeq 1\text{ MeV}$
from nucleon freeze-out

much earlier than CMB!

strong probe for physics
before the CMB

e.g. neutrinos!

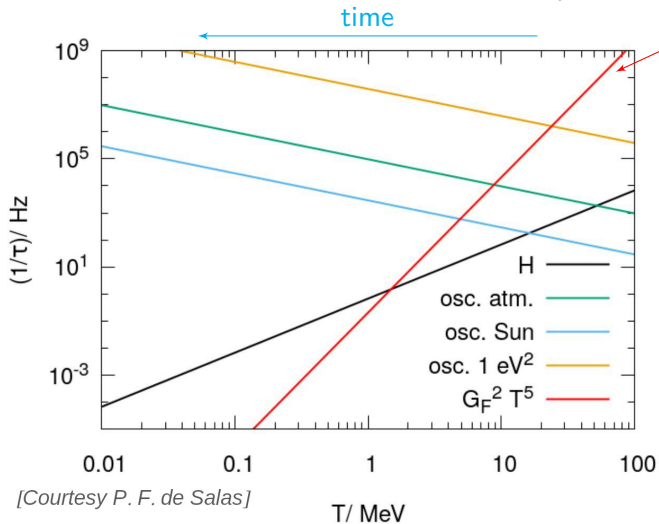
ν affect
universe expansion
and
reaction rates ($\nu_e/\bar{\nu}_e$)
at BBN time...



BBN concordance

Neutrinos in the early Universe

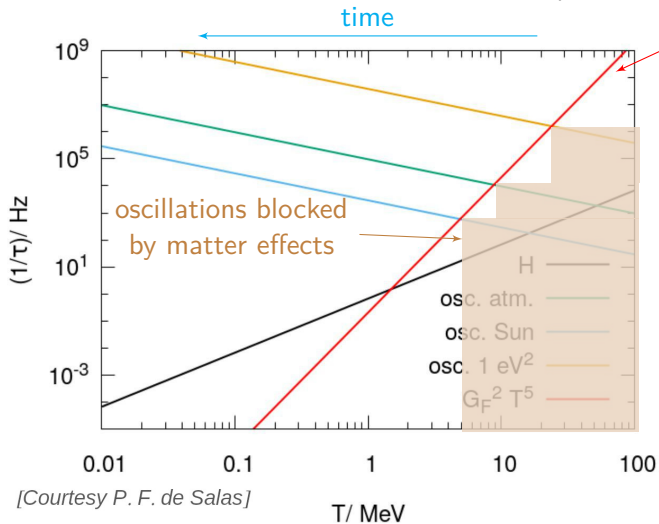
before BBN: neutrinos coupled to plasma ($\nu_\alpha \bar{\nu}_\alpha \leftrightarrow e^+ e^-$, $\nu e \leftrightarrow \nu e$)



[Courtesy P. F. de Salas]

Neutrinos in the early Universe

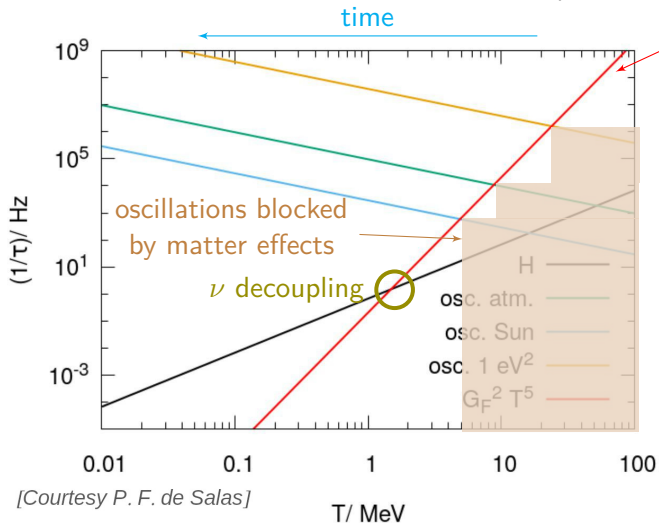
before BBN: neutrinos coupled to plasma ($\nu_\alpha \bar{\nu}_\alpha \leftrightarrow e^+ e^-$, $\nu e \leftrightarrow \nu e$)



[Courtesy P. F. de Salas]

Neutrinos in the early Universe

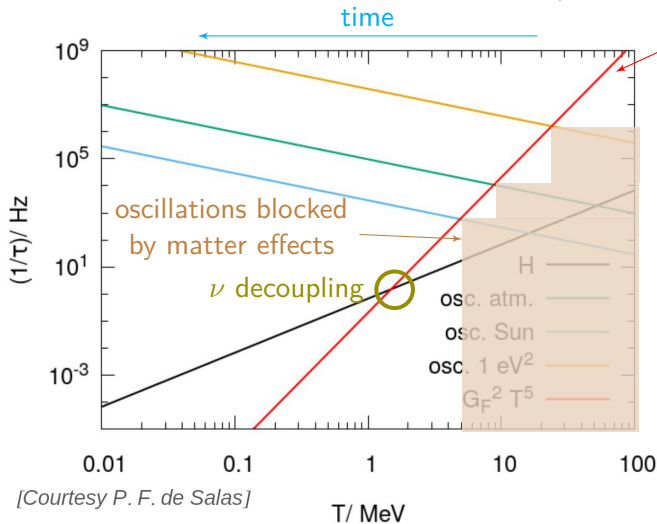
before BBN: neutrinos coupled to plasma ($\nu_\alpha \bar{\nu}_\alpha \leftrightarrow e^+ e^-$, $\nu e \leftrightarrow \nu e$)



ν decouple mostly before $e^+ e^- \rightarrow \gamma\gamma$ annihilation!

Neutrinos in the early Universe

before BBN: neutrinos coupled to plasma ($\nu_\alpha \bar{\nu}_\alpha \leftrightarrow e^+ e^-$, $\nu e \leftrightarrow \nu e$)



$$T_\nu \simeq (4/11)^{1/3} T_\gamma$$

after $e^+ e^- \rightarrow \gamma\gamma$

f_ν : frozen Fermi-Dirac distribution

Today:

$$T_{\nu,0} = 1.945 \text{ K} \simeq 1.676 \times 10^{-4} \text{ eV}$$

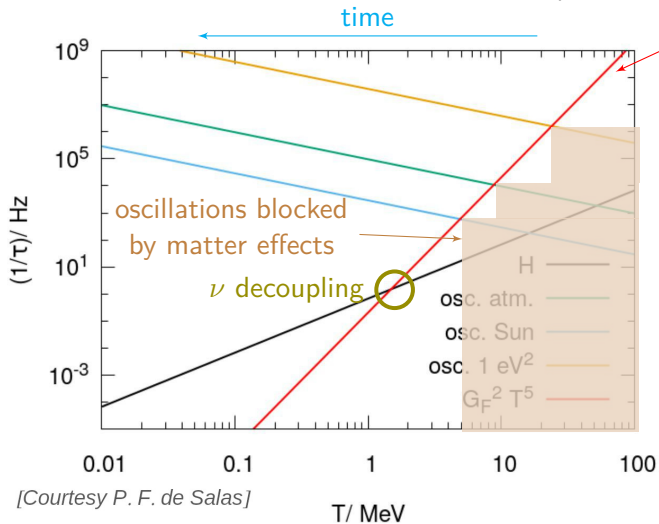
$$\langle E_\nu \rangle \simeq 3.1 T_{\nu,0} \simeq 5 \times 10^{-4} \text{ eV}$$

$$n_0 = n_{\nu,0} = n_{\bar{\nu},0} \simeq 56 \text{ cm}^{-3} \text{ per family}$$

ν decouple mostly before $e^+ e^- \rightarrow \gamma\gamma$ annihilation!

Neutrinos in the early Universe

before BBN: neutrinos coupled to plasma ($\nu_\alpha \bar{\nu}_\alpha \leftrightarrow e^+ e^-$, $\nu e \leftrightarrow \nu e$)



[Courtesy P. F. de Salas]

$T_\nu \simeq (4/11)^{1/3} T_\gamma$
after $e^+ e^- \rightarrow \gamma\gamma$

f_ν : frozen Fermi-Dirac distribution

Today:

$T_{\nu,0} = 1.945 \text{ K} \simeq 1.676 \times 10^{-4} \text{ eV}$

$\langle E_\nu \rangle \simeq 3.1 T_{\nu,0} \simeq 5 \times 10^{-4} \text{ eV}$

$n_0 = n_{\nu,0} = n_{\bar{\nu},0} \simeq 56 \text{ cm}^{-3}$ per family

ν decouple mostly before $e^+ e^- \rightarrow \gamma\gamma$ annihilation!
actually, the decoupling T is momentum dependent!

distortions to equilibrium f_ν !

ν oscillations in the early universe

[Bennett, SG+, JCAP 2021]
[Sigl, Raffelt, 1993]

comoving coordinates: $a = 1/T$ $x \equiv m_e a$ $y \equiv p a$ $z \equiv T_\gamma a$ $w \equiv T_\nu a$

density matrix: $\varrho(x, y) = \begin{pmatrix} \varrho_{ee} \equiv f_{\nu_e} & \varrho_{e\mu} & \varrho_{e\tau} \\ \varrho_{\mu e} & \varrho_{\mu\mu} \equiv f_{\nu_\mu} & \varrho_{\mu\tau} \\ \varrho_{\tau e} & \varrho_{\tau\mu} & \varrho_{\tau\tau} \equiv f_{\nu_\tau} \end{pmatrix}$
 $\propto \langle a_j^\dagger(p, t) a_i(p, t) \rangle$
 off-diagonals to take into account coherency in the neutrino system

$$\varrho \text{ evolution from } x \text{ to } y: \quad x H \frac{d\varrho(y, x)}{dx} = -ia[\mathcal{H}_{\text{eff}}, \varrho] + b\mathcal{I}$$

H Hubble factor \rightarrow expansion (depends on universe content)

effective Hamiltonian $\mathcal{H}_{\text{eff}} = \frac{M_{\text{F}}}{2y} - \frac{2\sqrt{2}G_{\text{F}}ym_e^6}{x^6} \left(\frac{E_\ell + P_\ell}{m_{\text{W}}^2} + \frac{4}{3} \frac{E_\nu}{m_{\text{Z}}^2} \right)$

vacuum oscillations \longleftarrow \longrightarrow matter effects

\mathcal{I} collision integrals

take into account ν -e scattering and pair annihilation, ν - ν interactions

2D integrals over momentum, take most of the computation time

$$\text{solve together with } z \text{ evolution, from } x \frac{d\rho(x)}{dx} = \rho - 3P$$

ρ, P total energy density and pressure, also take into account FTQED corrections

ν oscillations in the early universe

[Bennett, SG+, JCAP 2021]
[Sigl, Raffelt, 1993]

comoving coordinates: $a = 1/T$ $x \equiv m_e a$ $y \equiv p a$ $z \equiv T_\gamma a$ $w \equiv T_\nu a$

density matrix: $\varrho(x, y) = \begin{pmatrix} \varrho_{ee} \equiv f_{\nu_e} & \varrho_{e\mu} & \varrho_{e\tau} \\ \varrho_{\mu e} & \varrho_{\mu\mu} \equiv f_{\nu_\mu} & \varrho_{\mu\tau} \\ \varrho_{\tau e} & \varrho_{\tau\mu} & \varrho_{\tau\tau} \equiv f_{\nu_\tau} \end{pmatrix}$
 $\propto \langle a_j^\dagger(p, t) a_i(p, t) \rangle$
off-diagonals to take into account coherency in the neutrino system

$$\varrho \text{ evolution from } x \text{ to } y: \frac{d\varrho(y, x)}{dx} = -ia[\mathcal{H}_{\text{eff}}, \varrho] + b\mathcal{I}$$

FORTran-Evolved Primordial Neutrino Oscillations
(FortEPiano)

https://bitbucket.org/ahep_cosmo/fortepiano_public

vacuum oscillations

matter effects

\mathcal{I} collision integrals

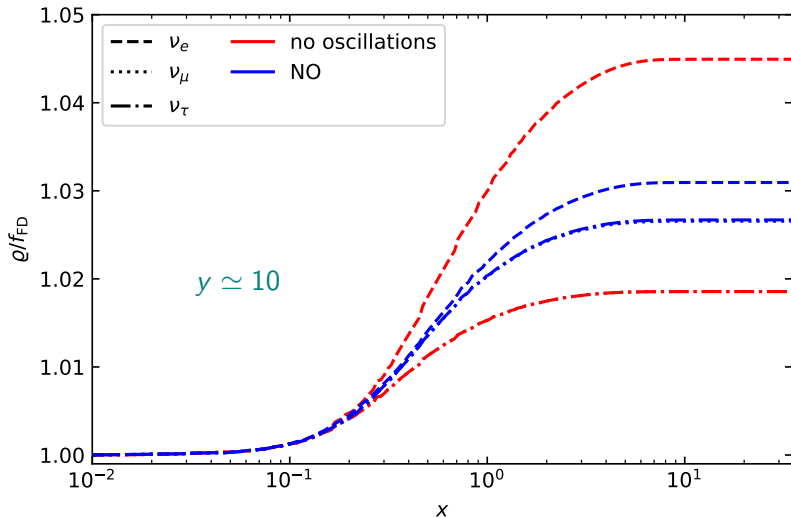
take into account ν -e scattering and pair annihilation, ν - ν interactions

2D integrals over momentum, take most of the computation time

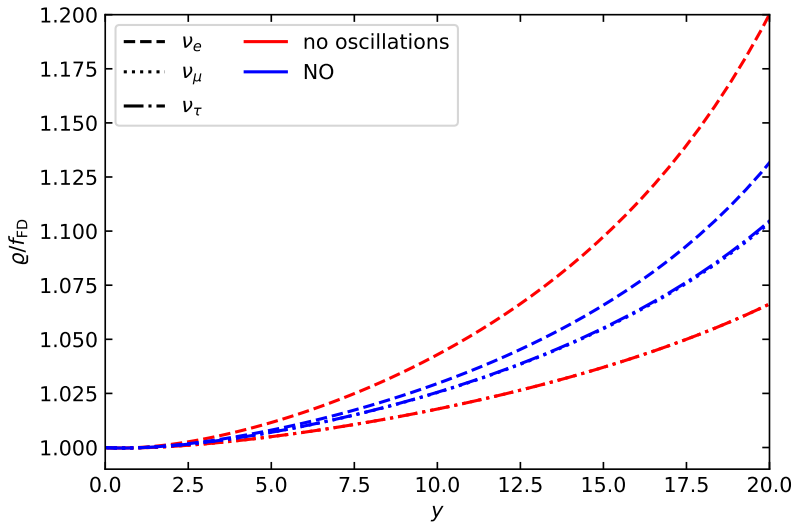
$$\text{solve together with } z \text{ evolution, from } x \frac{d\rho(x)}{dx} = \rho - 3P$$

ρ, P total energy density and pressure, also take into account FTQED corrections

Distortion of the momentum distribution (f_{FD} : Fermi-Dirac at equilibrium)



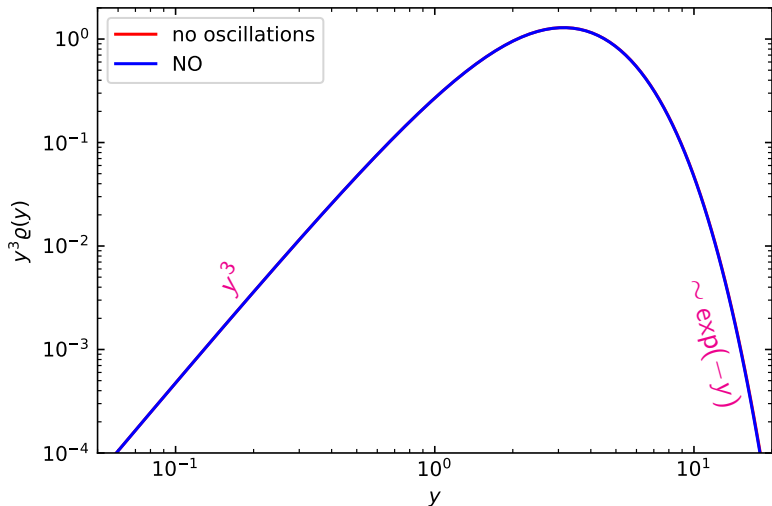
Distortion of the momentum distribution (f_{FD} : Fermi-Dirac at equilibrium)



Neutrino momentum distribution and N_{eff} [Bennett, SG+, JCAP 2021]

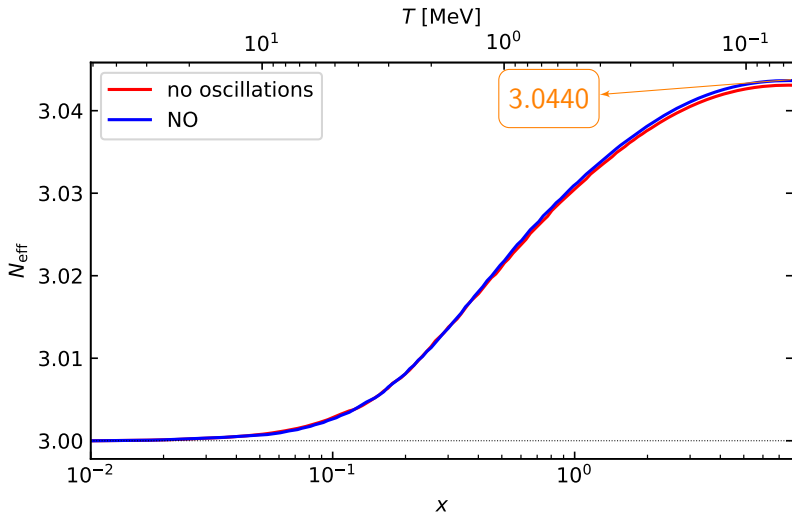
$$N_{\text{eff}}^{\text{final}} = \frac{8}{7} \left(\frac{11}{4}\right)^{4/3} \frac{\rho_\nu}{\rho_\gamma} = \frac{8}{7} \left(\frac{11}{4}\right)^{4/3} \frac{1}{\rho_\gamma} \sum_i g_i \int \frac{d^3 p}{(2\pi)^3} E(p) f_{\nu,i}(p)$$

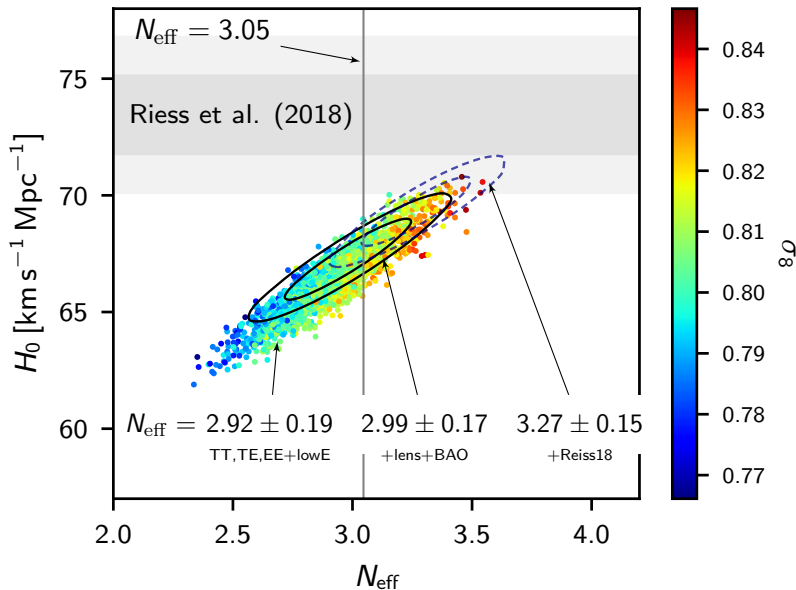
$(11/4)^{1/3} = (T_\gamma/T_\nu)^{\text{fin}}$
 $\hookrightarrow \propto y^3 g_{ii}(y)$



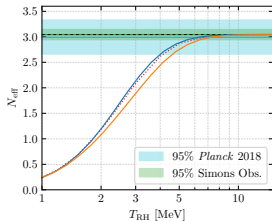
Neutrino momentum distribution and N_{eff}

$$N_{\text{eff}}^{\text{any time}} = \frac{8}{7} \left(\frac{T_\gamma}{T_\nu} \right)^4 \frac{\rho_\nu}{\rho_\gamma} = \frac{8}{7} \left(\frac{T_\gamma}{T_\nu} \right)^4 \frac{1}{\rho_\gamma} \sum_i g_i \int \frac{d^3 p}{(2\pi)^3} E(p) f_{\nu,i}(p)$$



N_{eff} and CMB

R $N_{\text{eff}} < 3?$



e.g. low-temperature reheating scenarios
[PRD 92 (2015) 123534], [PRL 135 (2025) 181003]

Scenarios with low reheating temperature

Reheating: phase ending inflation

during inflation, the inflaton (non-rel. scalar) dominates the energy density

during reheating: inflaton decays into standard model particles

⇒ photons, electrons, ... are populated directly

radiation domination begins after reheating

Scenarios with low reheating temperature

Reheating: phase ending inflation

during inflation, the inflaton (non-rel. scalar) dominates the energy density

during reheating: inflaton decays into standard model particles

⇒ photons, electrons, ... are populated directly

radiation domination begins after reheating

neutrinos are populated by weak interactions with electrons!

if reheating occurs too late, neutrinos are not generated and $N_{\text{eff}} < 3$

Scenarios with low reheating temperature

Reheating: phase ending inflation

during inflation, the inflaton (non-rel. scalar) dominates the energy density

during reheating: inflaton decays into standard model particles

⇒ photons, electrons, ... are populated directly

radiation domination begins after reheating

neutrinos are populated by weak interactions with electrons!

if reheating occurs too late, neutrinos are not generated and $N_{\text{eff}} < 3$

Low reheating temperature: when reheating occurs at $T_{\text{rh}} \lesssim 20$ MeV

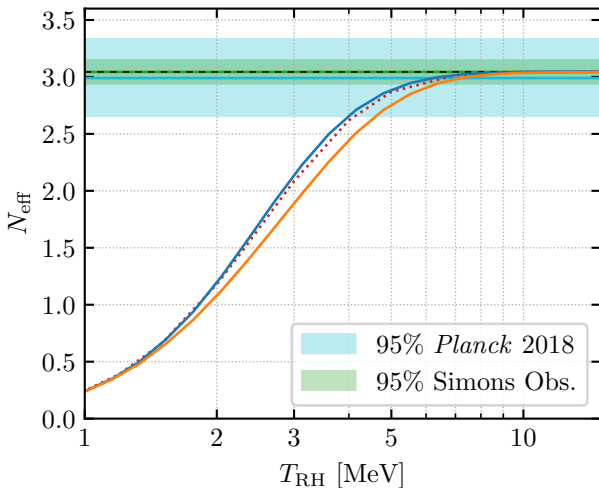
notice: if $T_{\text{rh}} \lesssim 3$ MeV, BBN is broken!

3 neutrino oscillations start to be affected when $T_{\text{rh}} \lesssim 8$ MeV

what about sterile neutrinos?

N_{eff} with low reheating

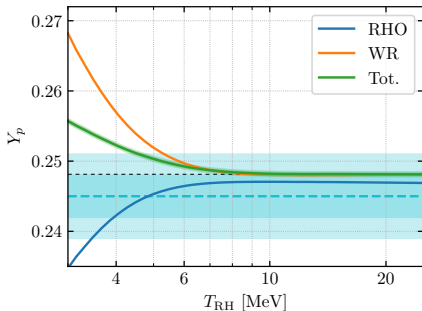
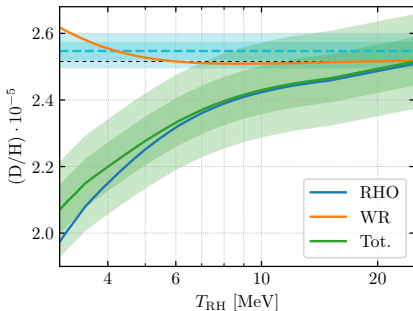
N_{eff} as a function of T_{rh} :



Planck constraint: $N_{\text{eff}} = 2.92^{+0.36}_{-0.37}$ (95%, TT,TE,EE+lowE)

BBN and low reheating

Light element abundances depend on T_{rh} :



■ **RHO**: total energy density,
expansion rate



neutrino energy density, N_{eff}

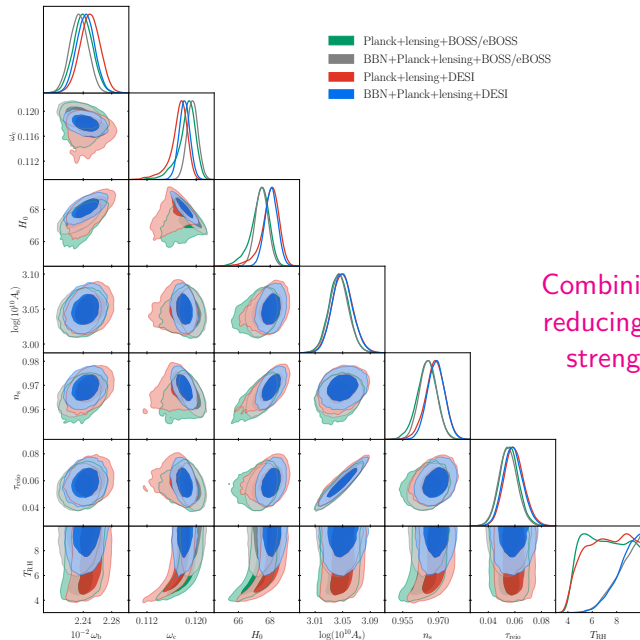
■ **WR**: weak rates
($n \leftrightarrow p, \nu_e^{(-)}$ interactions)



$\nu_e^{(-)}$ momentum distribution

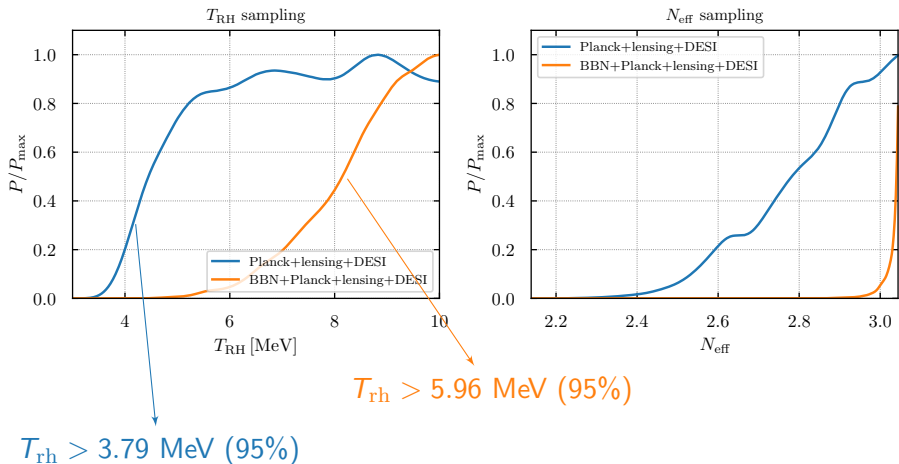
Both effects are important to get Helium right!

Constraints on low reheating scenarios



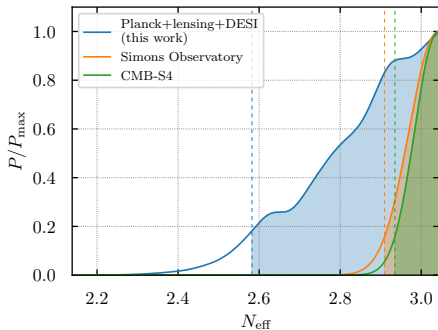
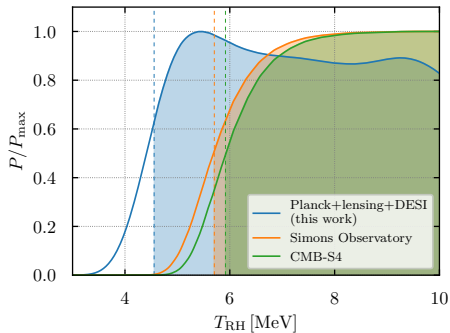
Combining probes helps in reducing degeneracies and strengthening bounds!

Constraints on low reheating scenarios



BBN occurs at **earlier time than CMB** and is more sensitive to N_{eff} (RHO) and $\nu_e^{(-)}$ momentum distribution functions (WR) as a function of T_{rh} !

Constraints on low reheating scenarios

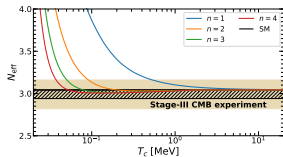


Greater sensitivity will come with future CMB probes
(more precise in determining N_{eff})

Future CMB alone will reach the precision of
current BBN+CMB (Planck)+BAO (DESI) observations



$$N_{\text{eff}} > 3?$$



e.g.: additional particles

[JCAP 12 (2023) 20]

Additional particles in the early universe?

Sterile neutrinos are **coupled via oscillations** to the thermal plasma
(photons, electrons, neutrinos, (muons), ...)

What if we add a decoupled particle?

let us assume a **non-standard evolution of the energy density**: $\bar{\rho}_{\text{US}} \propto a^{n+4}$
 $n = 0 \rightarrow$ radiation; $n = -1 \rightarrow$ matter; $n = -2 \rightarrow$ curvature, ...

effect on early universe phenomena is purely gravitational

total energy density: $\rho = \rho_\gamma + \rho_e + \rho_\nu + \delta\rho_{\text{FTQED}} + \rho_{\text{US}}$

Hubble factor: $H^2 = 8\pi\rho/(3M_{\text{Pl}}^2)$

Additional particles in the early universe?

Sterile neutrinos are **coupled via oscillations** to the thermal plasma
(photons, electrons, neutrinos, (muons), ...)

What if we add a decoupled particle?

let us assume a **non-standard evolution of the energy density**: $\bar{\rho}_{\text{US}} \propto a^{n+4}$
 $n = 0 \rightarrow$ radiation; $n = -1 \rightarrow$ matter; $n = -2 \rightarrow$ curvature, ...

effect on early universe phenomena is purely gravitational

total energy density: $\rho = \rho_\gamma + \rho_e + \rho_\nu + \delta\rho_{\text{FTQED}} + \rho_{\text{US}}$

Hubble factor: $H^2 = 8\pi\rho/(3M_{\text{Pl}}^2)$

$$\text{neutrino decoupling: } \frac{d\varrho(y)}{dx} = \frac{1}{xH} \left\{ -i \frac{x^3}{m_e^3} [\mathcal{H}_{\text{eff}}, \varrho] + \frac{m_e^3}{x^3} \mathcal{I}(\varrho) \right\}$$

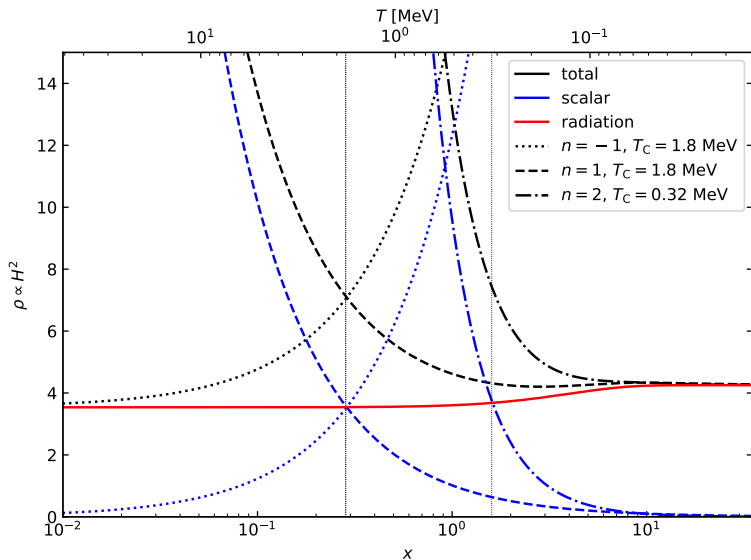
$$\text{BBN abundances: } \frac{dX_i}{dx} = \frac{\Gamma_i}{xH}$$

$X_i = n_i/N_B$ abundance relative to total baryons, Γ_i effective reaction rate for nuclide i

Results from N_{eff}

consider $\rho_{\text{US}} = \rho_{\text{rad}}$ at $x_C = m_e/T_C$ for the new particle

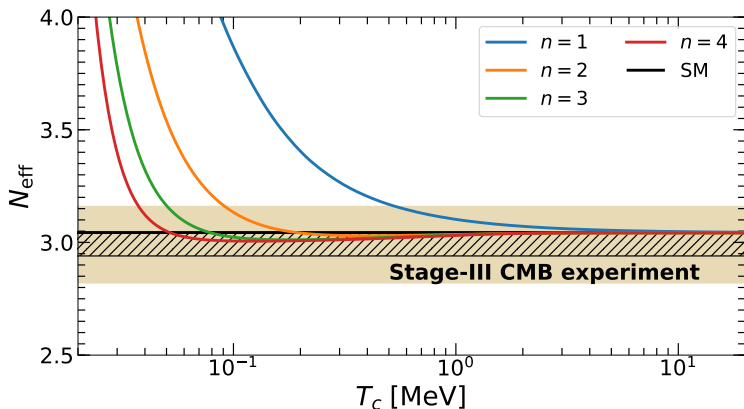
Evolution of the energy density:



Results from N_{eff}

consider $\rho_{\text{US}} = \rho_{\text{rad}}$ at $x_{\text{C}} = m_e/T_{\text{C}}$ for the new particle

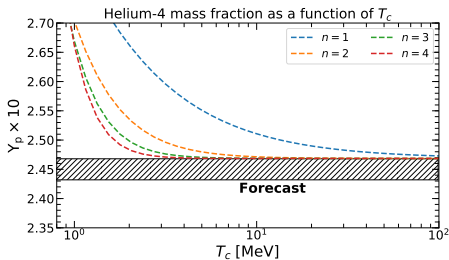
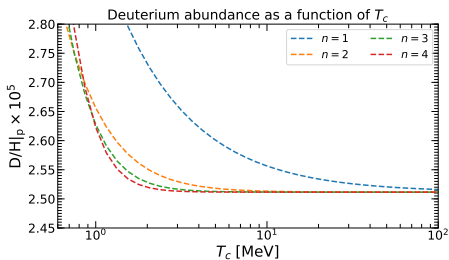
From neutrino decoupling we obtain:



Results from BBN

consider $\rho_{US} = \rho_{\text{rad}}$ at $x_C = m_e/T_C$ for the new particle

Compare to current measurements (Deuterium, Helium):



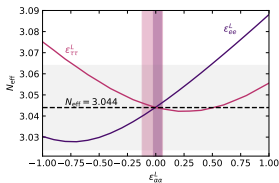
error bands (gray) are current constraints on the abundances

even current precision can strongly constrain T_C



$$N_{\text{eff}} \simeq 3?$$

It can still relate to new physics!



e.g.:

Non-Standard Interactions (NSI)

[PLB 820 (2021)]

Non-standard neutrino-electron interactions

Can neutrinos have interactions beyond the SM ones?

e.g.: $\mathcal{L} = \mathcal{L}_{\text{SM}} + \mathcal{L}_{\text{NSIe}}$, with $\mathcal{L}_{\text{NSIe}} \propto G_F \sum_{\alpha,\beta} \epsilon_{\alpha\beta}^{L,R} (\bar{\nu}_\alpha \gamma^\mu P_L \nu_\beta) (\bar{e} \gamma_\mu P_{L,R} e)$
see e.g. [Farzan+, 2018]

coupling strength governed by the $\epsilon_{\alpha\beta}^{L,R}$ coefficients ($\alpha = e, \mu, \tau$)

new interactions **affect all phenomena** involving neutrinos and electrons
including neutrino decoupling:

collision terms

$$G_{\text{SM}}^L = \text{diag}(g_L, \tilde{g}_L, \tilde{g}_L)$$

$$G_{\text{SM}}^R = \text{diag}(g_R, g_R, g_R)$$

$g_R = \sin^2 \theta_W$, $\tilde{g}_L = g_R + 1/2$, $\tilde{g}_L = g_R - 1/2$

$$G^{L,R} = G_{\text{SM}}^{L,R} + \begin{pmatrix} \epsilon_{ee}^{L,R} & \epsilon_{e\mu}^{L,R} & \epsilon_{e\tau}^{L,R} & \cdots \\ \epsilon_{e\mu}^{L,R} & \epsilon_{\mu\mu}^{L,R} & \epsilon_{\mu\tau}^{L,R} & \cdots \\ \epsilon_{e\tau}^{L,R} & \epsilon_{\mu\tau}^{L,R} & \epsilon_{\tau\tau}^{L,R} & \cdots \\ \vdots & & & \ddots \end{pmatrix}$$

matter effects in oscillations
(subdominant!)

$$\mathcal{H}_{\text{eff,SM}} \supset k \cdot \text{diag}(\rho_e + P_e, 0, 0)$$

$$\mathcal{H}_{\text{eff}} \supset k(\rho_e + P_e) \begin{pmatrix} 1 + \epsilon_{ee} & \epsilon_{e\mu} & \epsilon_{e\tau} \\ \epsilon_{e\mu} & \epsilon_{\mu\mu} & \epsilon_{\mu\tau} \\ \epsilon_{e\tau} & \epsilon_{\mu\tau} & \epsilon_{\tau\tau} \end{pmatrix}$$

with $\epsilon_{\alpha\beta} = \epsilon_{\alpha\beta}^L + \epsilon_{\alpha\beta}^R$

NSI effects on N_{eff}

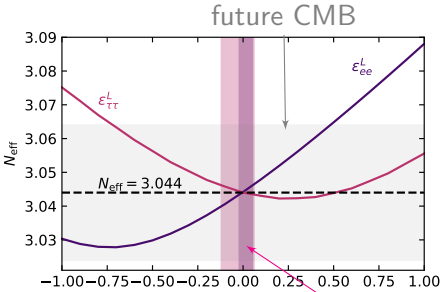
$$G^{L,R} = G_{SM}^{L,R} + \begin{pmatrix} \epsilon_{ee}^{L,R} & \epsilon_{e\mu}^{L,R} & \epsilon_{e\tau}^{L,R} & \dots \\ \epsilon_{e\mu}^{L,R} & \epsilon_{\mu\mu}^{L,R} & \epsilon_{\mu\tau}^{L,R} & \dots \\ \epsilon_{e\tau}^{L,R} & \epsilon_{\mu\tau}^{L,R} & \epsilon_{\tau\tau}^{L,R} & \dots \\ \vdots & & & \ddots \end{pmatrix}$$

e.g.:

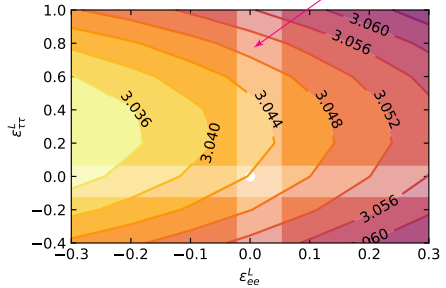
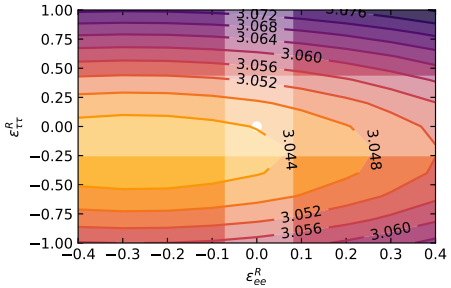
$$G_{ee}^L \rightarrow 0.727 + \epsilon_{ee}^L$$

$$G_{\tau\tau}^L \rightarrow -0.273 + \epsilon_{\tau\tau}^L$$

$$G_{\alpha\alpha}^R \rightarrow 0.233 + \epsilon_{\alpha\alpha}^R$$



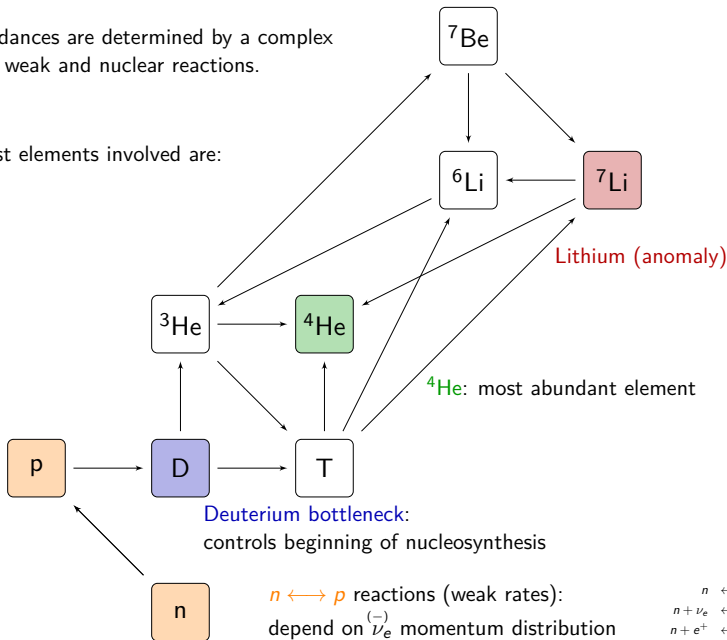
current terrestrial



Reactions governing BBN

BBN abundances are determined by a complex network of weak and nuclear reactions.

The lightest elements involved are:



NSI effects on BBN

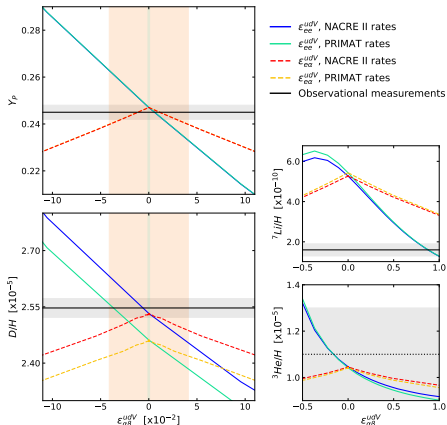
NSI with electrons, such as $\mathcal{L}_{\text{NSIe}}^{\text{NC}} \propto \sum \epsilon_{\alpha\beta}^{L,R} (\bar{\nu}_\alpha \gamma^\mu P_L \nu_\beta) (\bar{e} \gamma_\mu P_{L,R} e)$,
 have secondary effect on BBN rates because there are no $(\bar{\nu} e)$ interactions!

WR depend on $n \leftrightarrow p$ processes, for which it is more relevant

$$\mathcal{L}_{\text{NSIq}}^{\text{CC}} \propto G_F V_{ud} \sum_{\alpha} \epsilon_{e\alpha}^{udV} (\bar{u} \gamma^\mu P_L d) (\bar{e} \gamma_\mu P_{L,R} \nu_\alpha)!$$

Effect of $\epsilon_{e\alpha}^{udV}$
 on BBN abundances
 can be exploited
 to derive constraints:

Bounds are comparable and
 complementary to the ones
 from terrestrial experiments!

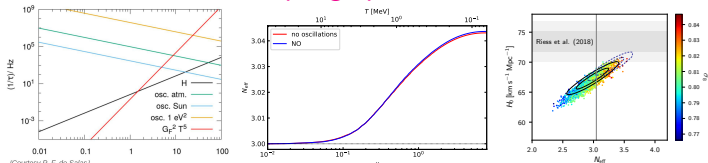




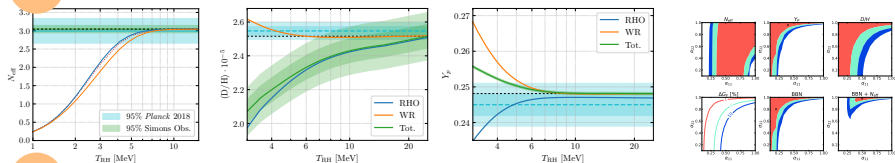
Conclusions

What do we learn about non-standard ν scenarios?

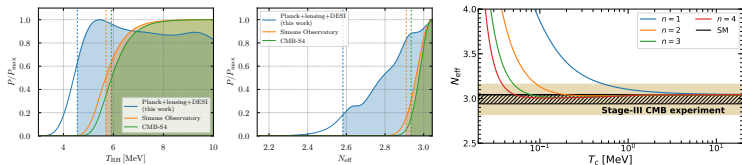
P Neutrino decoupling: precision calculations



D Combine multiple probes in order to reduce degeneracies!

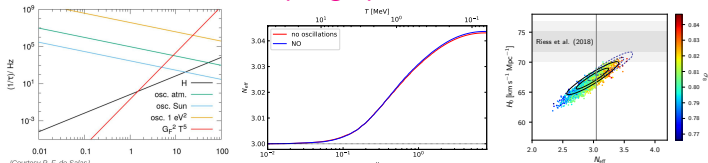


F Future probes will have better sensitivity!

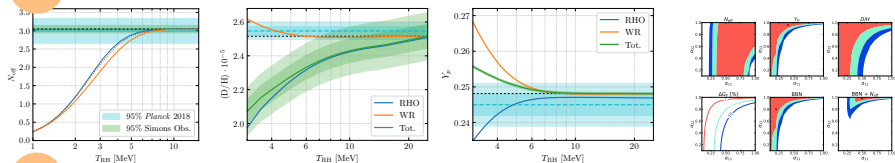


What do we learn about non-standard ν scenarios?

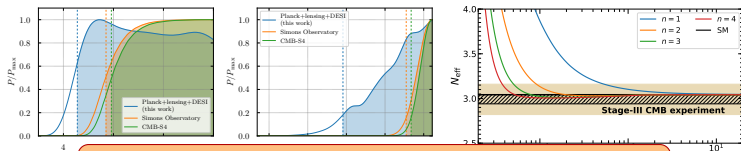
P Neutrino decoupling: precision calculations



D Combine multiple probes in order to reduce degeneracies!



F Future probes will have better sensitivity!



Thanks for your attention!