

DARK MATTER

From

A4 Flavor Symmetry

Sofiane Boucenna
IFIC/Universidad de Valencia



Based on :

1007.0871 [M.Hirsch, S.Morisi, E.Peinado, J.W.F.Valle] *Phys.Rev. D82 (2010) 116003*

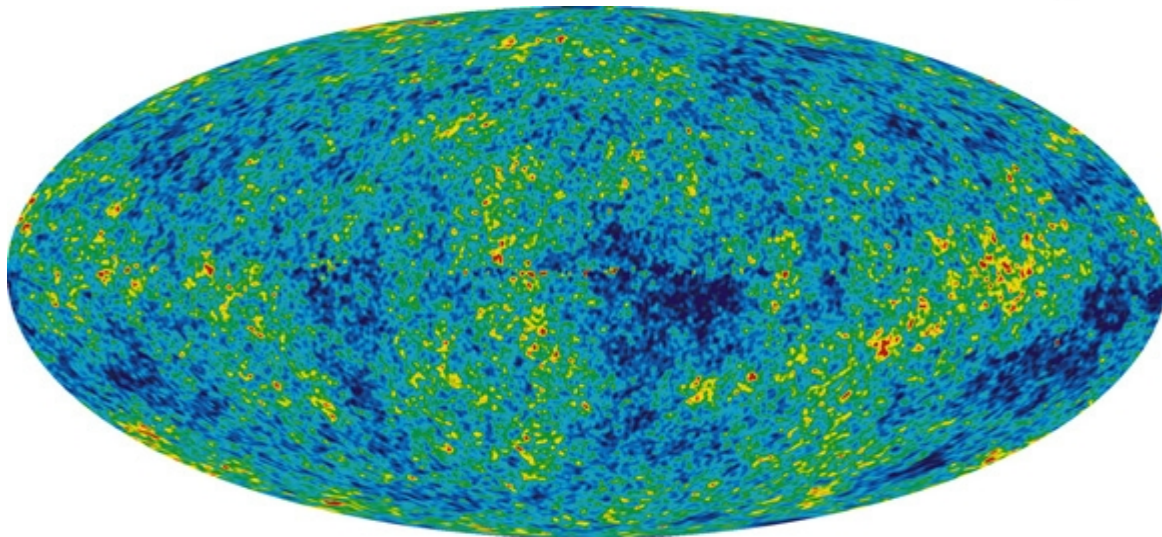
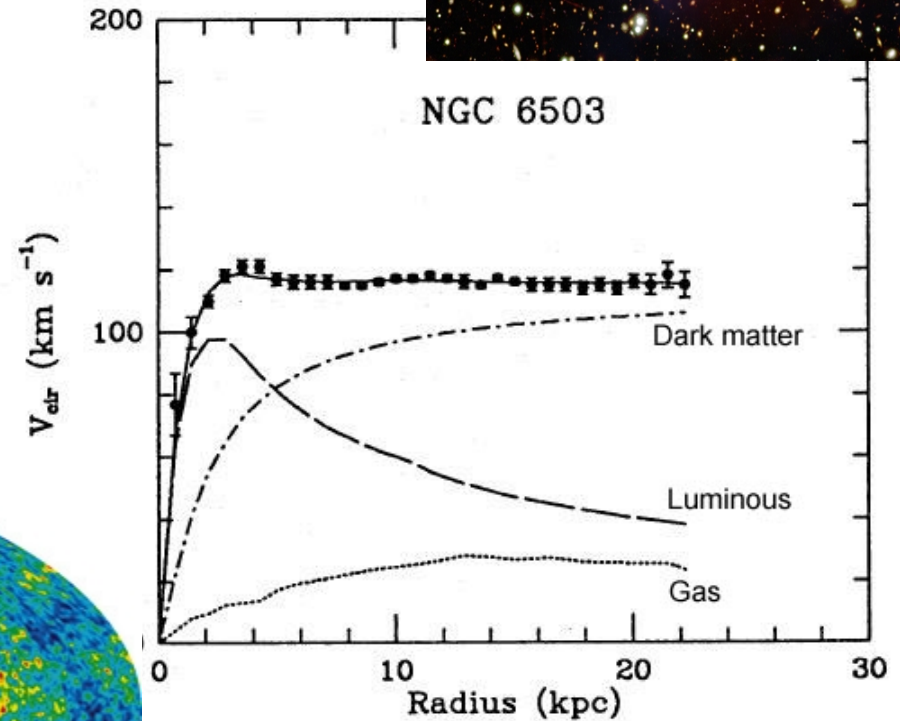
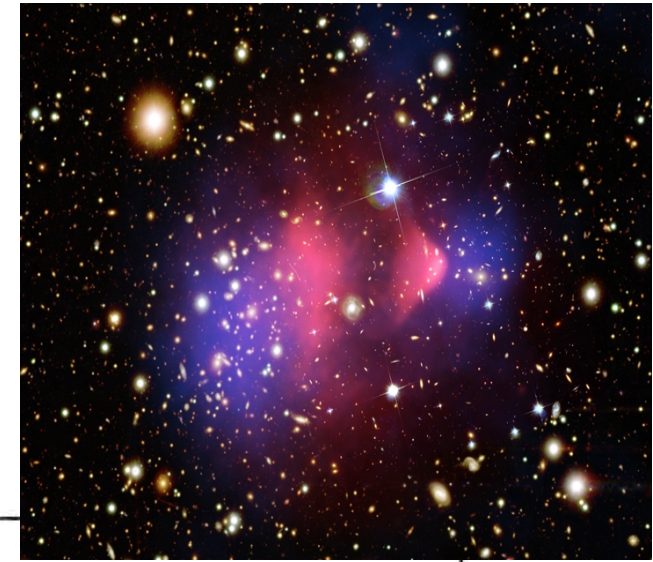
1101.2874 [SB, M. Hirsch, S. Morisi, E. Peinado, M. Taoso, J.W.F. Valle] *JHEP 1105 (2011) 037*

Cosmology & Astronomy :

... **04% Ordinary Matter**

... **23% Dark Matter**

... **73% Dark Energy**



We know that a DM particle must be :

... Neutral

... Cold

... “Non-interactingish”

... Long lived ... Stable

Bertone et. al. 040417, *Phys.Rept.* 405 (2005) 279-390

Taoso et. al. 0711.4996, *JCAP* 0803 (2008) 022

Neutrinos are massive & show mixing patterns, we need :

... New Particles

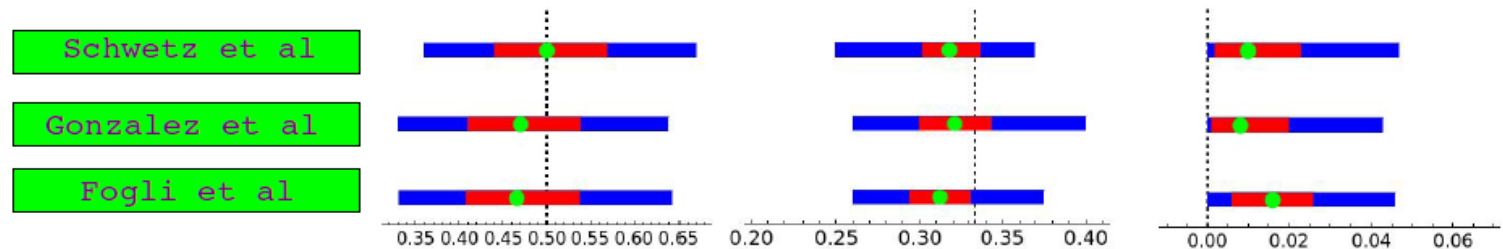
... New Symmetry

$$U_{\text{HPS}} = \begin{pmatrix} \sqrt{2/3} & 1/\sqrt{3} & 0 \\ -1/\sqrt{6} & 1/\sqrt{3} & -1/\sqrt{2} \\ -1/\sqrt{6} & 1/\sqrt{3} & 1/\sqrt{2} \end{pmatrix}$$

Harrison, Perkins & Scott

Tribimaximal ansatz

$$\sin^2 \theta_{23} = 0.5 \quad \sin^2 \theta_{12} = 1/3 \quad \sin^2 \theta_{13} = 0$$



Schwetz et. al. 1103.0734, *New J.Phys.* 13 (2011) 063004

Dark Matter & Neutrino Masses :

... Well established

... Need BSM mechanisms

Can we build a model

unifying them in a somehow minimal

way ?

DM Stability

Common ways to stabilize DM :

... discrete Z_2 of gauged $U(1)_{B-L}$ (R parity, GUT)

... accidentally (minimal DM, hidden vector DM)

... from gauged symmetries

... “hands”

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$$S = \begin{pmatrix} 1 & 0 & 0 \\ 0 & -1 & 0 \\ 0 & 0 & -1 \end{pmatrix} \quad T = \begin{pmatrix} 0 & 1 & 0 \\ 0 & 0 & 1 \\ 1 & 0 & 0 \end{pmatrix}$$

A4 is :

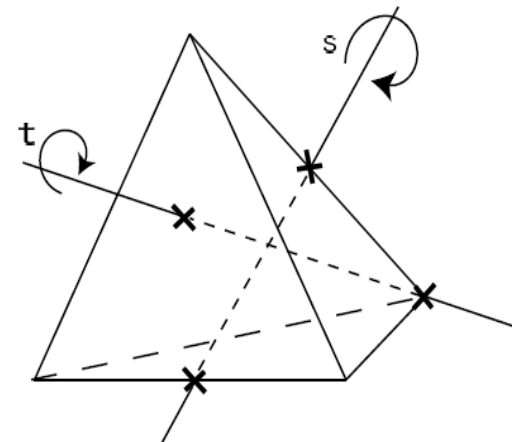
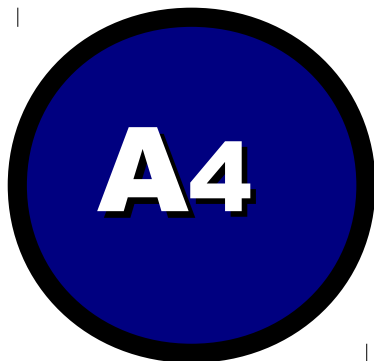
... **Group of even perms. of 4 objects**

... **Non-Abelian**

... **Discrete (No Goldstones/Gauge bosons)**

... **Minimal (3D irrep. , TBM)**

... **Has Z_2 & Z_3 as subgroups !**



A₄ **Spontaneously** **Z₂**

$\langle \eta \rangle \sim (1, 0, 0)$ **Triplet of A₄**

$$S\Psi = \begin{pmatrix} 1 & 0 & 0 \\ 0 & -1 & 0 \\ 0 & 0 & -1 \end{pmatrix} \begin{pmatrix} a_1 \\ a_2 \\ a_3 \end{pmatrix} = \begin{pmatrix} a_1 \\ -a_2 \\ -a_3 \end{pmatrix}$$

... 'S' generator of the Z₂ subgroup

A4

Dark Matter

Neutrinos

The Model :

... SM

... + 3 SU(2) doublets + (3+1) right handed neutrinos

	L_e	L_μ	L_τ	l_e^c	l_μ^c	l_τ^c	N_T	N_4	H	η
$SU(2)$	2	2	2	1	1	1	1	1	2	2
A_4	1	1'	1''	1	1''	1'	3	1	1	3

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$$1 \times 1_i = 1_i$$

$$1' \times 1'' = 1$$

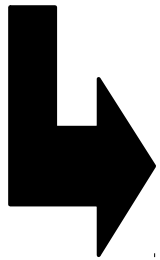
$$1' \times 1' = 1''$$

$$1'' \times 1'' = 1'$$

... Diagonal charged leptons, Quarks are A4 blind.

Neutrino phenomenology

$$m_D = \begin{pmatrix} x_1 & 0 & 0 & x_4 \\ x_2 & 0 & 0 & 0 \\ x_3 & 0 & 0 & 0 \end{pmatrix}, \quad M_R = \begin{pmatrix} M_1 & 0 & 0 & 0 \\ 0 & M_1 & 0 & 0 \\ 0 & 0 & M_1 & 0 \\ 0 & 0 & 0 & M_2 \end{pmatrix}$$



$$m_\nu = -m_{D_{3 \times 4}} M_{R_{4 \times 4}}^{-1} m_{D_{3 \times 4}}^T \equiv \begin{pmatrix} y^2 & ab & ac \\ ab & b^2 & bc \\ ac & bc & c^2 \end{pmatrix}$$

$M_3 = 0$ (IH) , $\Theta_{13} = 0$

$$V_3 \sim \begin{pmatrix} 0 \\ -b/c \\ 1 \end{pmatrix}$$

... Z_2 residual symmetry

$$\langle \eta \rangle \sim (1, 0, 0) \quad S = \begin{pmatrix} 1 & 0 & 0 \\ 0 & -1 & 0 \\ 0 & 0 & -1 \end{pmatrix}$$

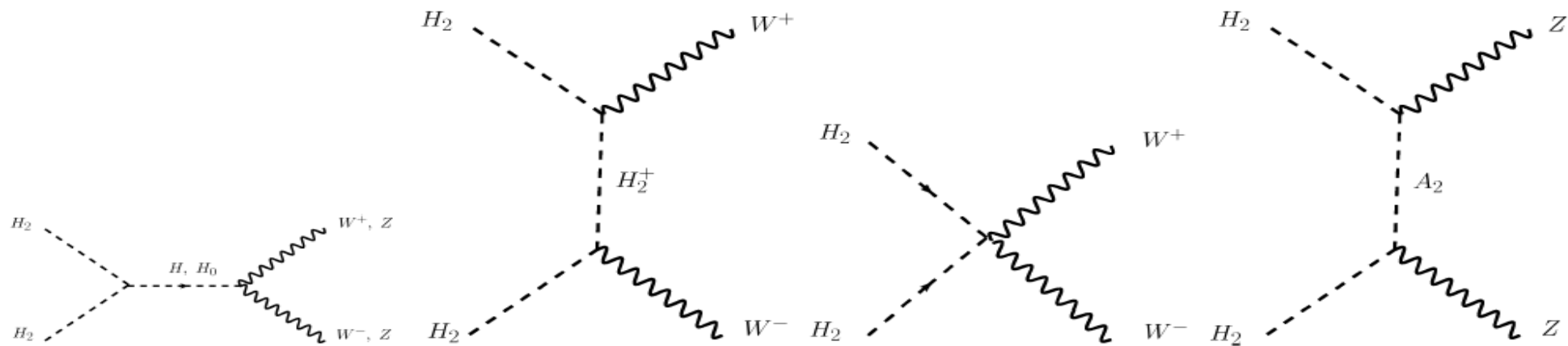
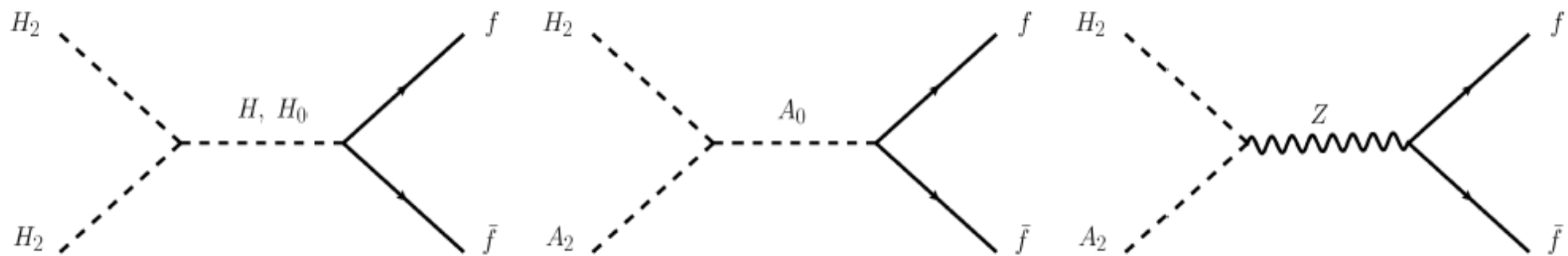
$$H = \begin{pmatrix} \tilde{H}_0^+ \\ (v_h + \tilde{H}_0 + i\tilde{A}_0)/\sqrt{2} \end{pmatrix}, \quad \eta_1 = \begin{pmatrix} \tilde{H}_1^+ \\ (v_\eta + \tilde{H}_1 + i\tilde{A}_1)/\sqrt{2} \end{pmatrix} \quad \text{---} \text{Z}_2 \text{ even}$$

$$\eta_2 = \begin{pmatrix} \tilde{H}_2^+ \\ (\tilde{H}_2 + i\tilde{A}_2)/\sqrt{2} \end{pmatrix}, \quad \eta_3 = \begin{pmatrix} \tilde{H}_3^+ \\ (\tilde{H}_3 + i\tilde{A}_3)/\sqrt{2} \end{pmatrix} \quad \text{---} \text{Z}_2 \text{ odd}$$

Dark Matter Stability

$$\begin{aligned}
V = & \mu_\eta^2 \eta^\dagger \eta + \mu_H^2 H^\dagger H \\
& + \lambda_1 [H^\dagger H]^2 + \lambda_2 [\eta^\dagger \eta]_1^2 + \\
& + \lambda_3 [\eta^\dagger \eta]_{1'} [\eta^\dagger \eta]_{1''} \\
& + \lambda_4 [\eta^\dagger \eta^\dagger]_{1'} [\eta \eta]_{1''} + \lambda_{4'} [\eta^\dagger \eta^\dagger]_{1''} [\eta \eta]_{1'} \\
& + \lambda_5 [\eta^\dagger \eta^\dagger]_1 [\eta \eta]_1 \\
& + \lambda_6 ([\eta^\dagger \eta]_{3_1} [\eta^\dagger \eta]_{3_1} + h.c.) \\
& + \lambda_7 [\eta^\dagger \eta]_{3_1} [\eta^\dagger \eta]_{3_2} \\
& + \lambda_8 [\eta^\dagger \eta^\dagger]_{3_1} [\eta \eta]_{3_2} \\
& + \lambda_9 [\eta^\dagger \eta]_{1'} [H^\dagger H] \\
& + \lambda_{10} [\eta^\dagger H] [H^\dagger \eta] \\
& + \lambda_{11} ([\eta^\dagger \eta^\dagger]_1 H H + h.c.) \\
& + \lambda_{12} ([\eta^\dagger \eta^\dagger]_{3_1} [\eta H] + h.c.) \\
& + \lambda_{13} ([\eta^\dagger \eta^\dagger]_{3_2} [\eta H] + h.c.) \\
& + \lambda_{14} ([\eta^\dagger \eta]_{3_1} \eta^\dagger H + h.c.) \\
& + \lambda_{15} ([\eta^\dagger \eta]_{3_2} \eta^\dagger H + h.c.)
\end{aligned}$$

... Relevant Diagrams



Constraints :

... Relic density

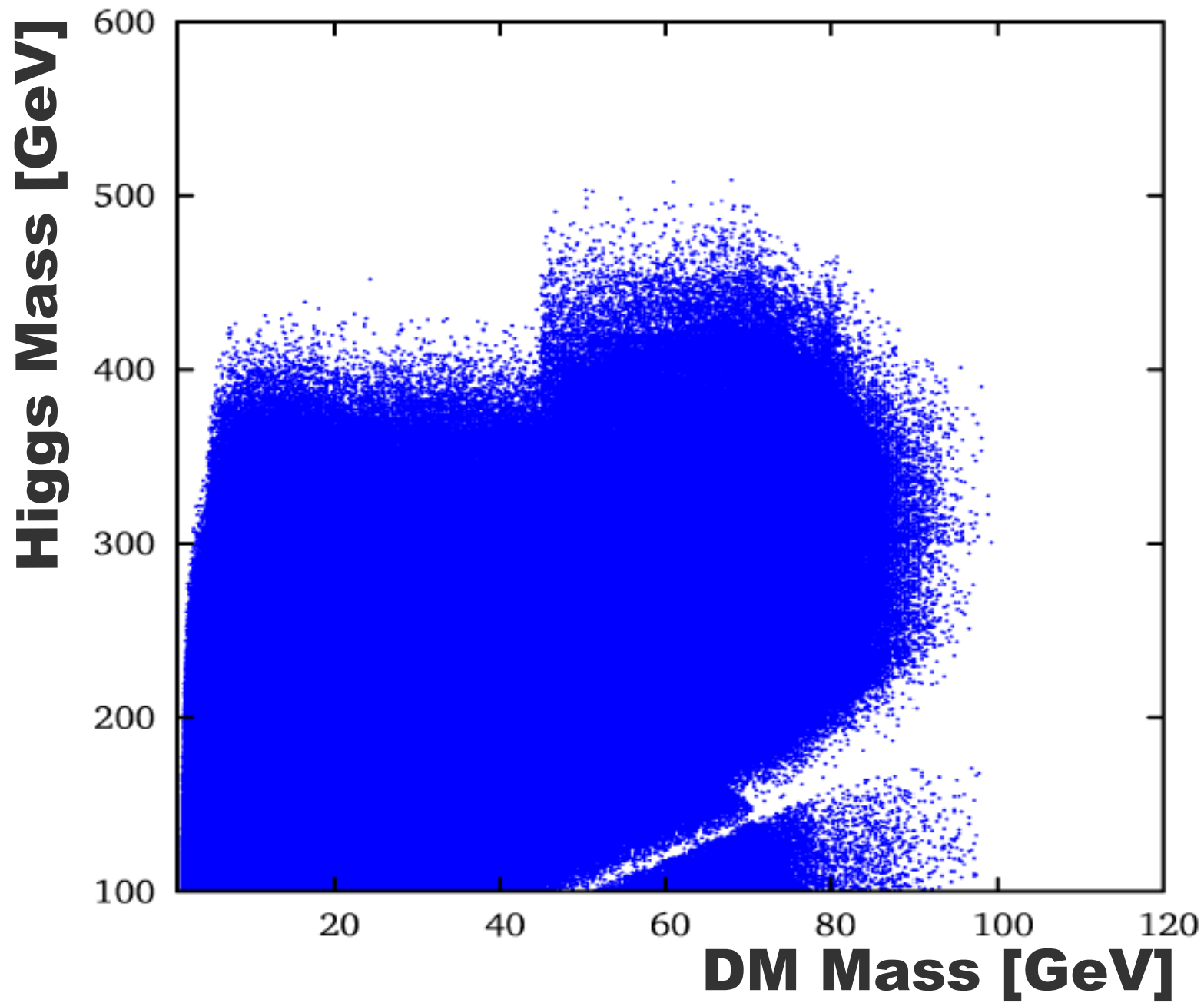
... Collider bounds

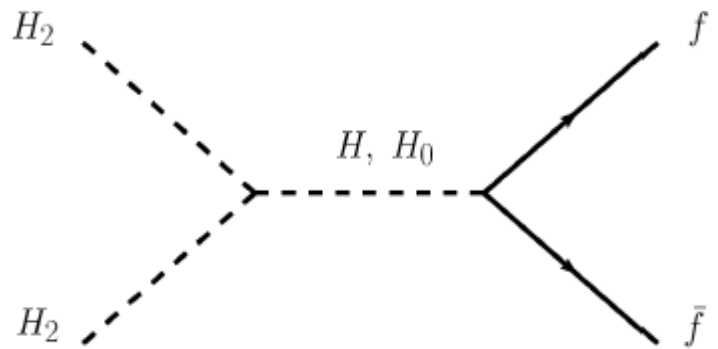
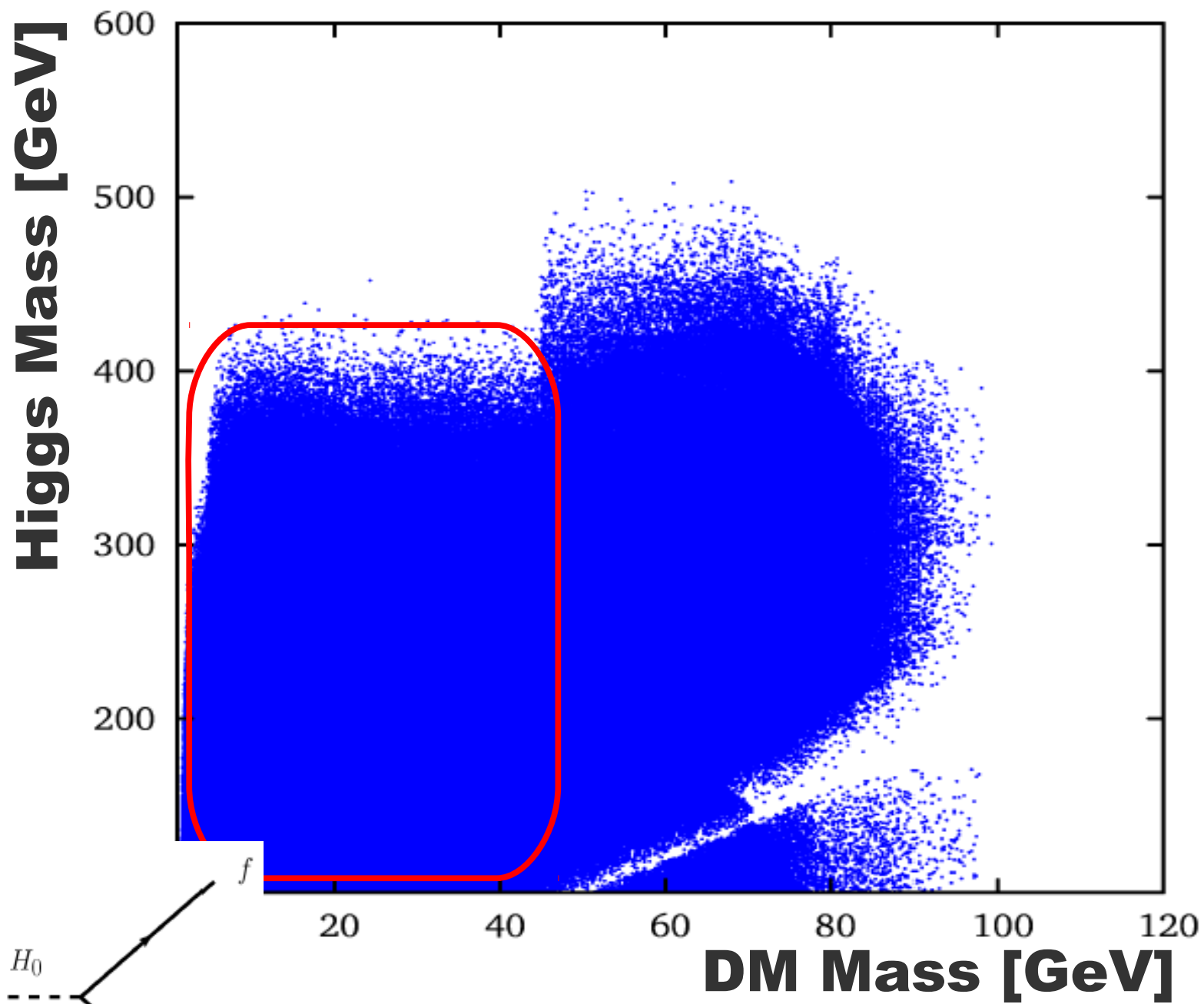
... EW precision tests

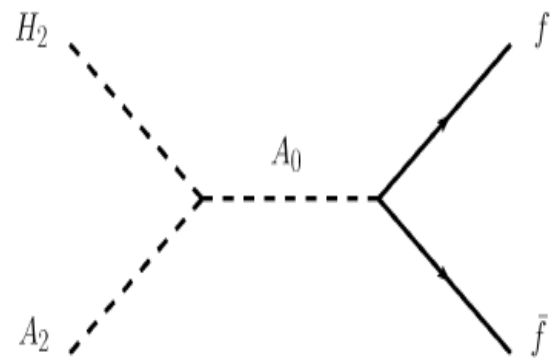
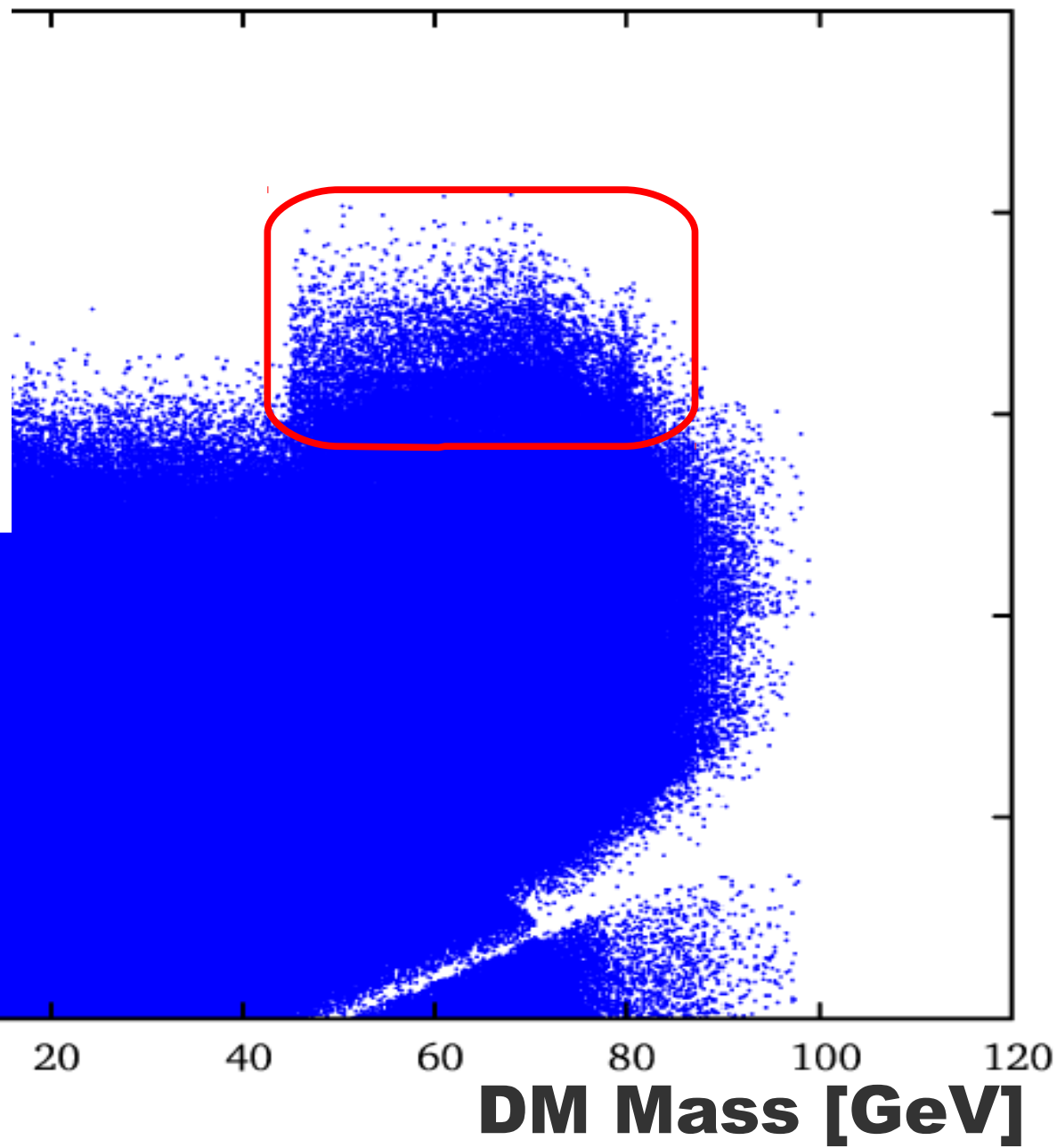
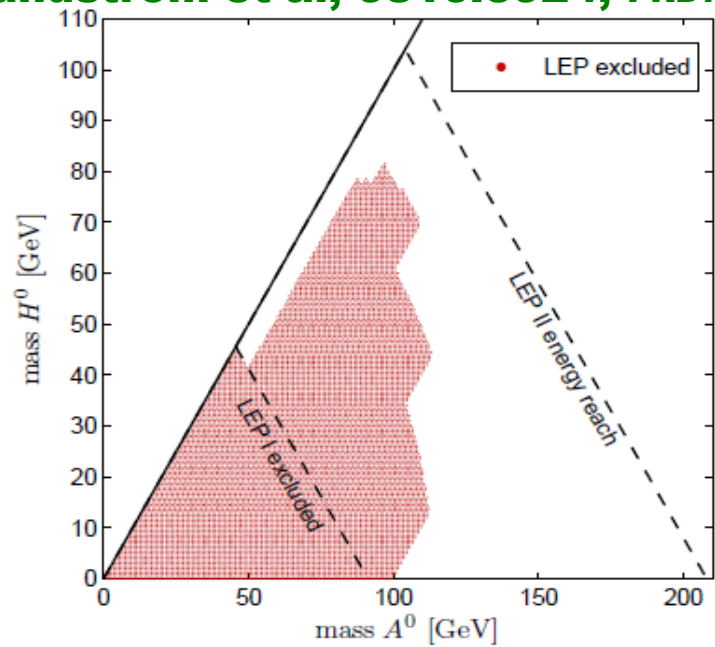
... Vacuum stability

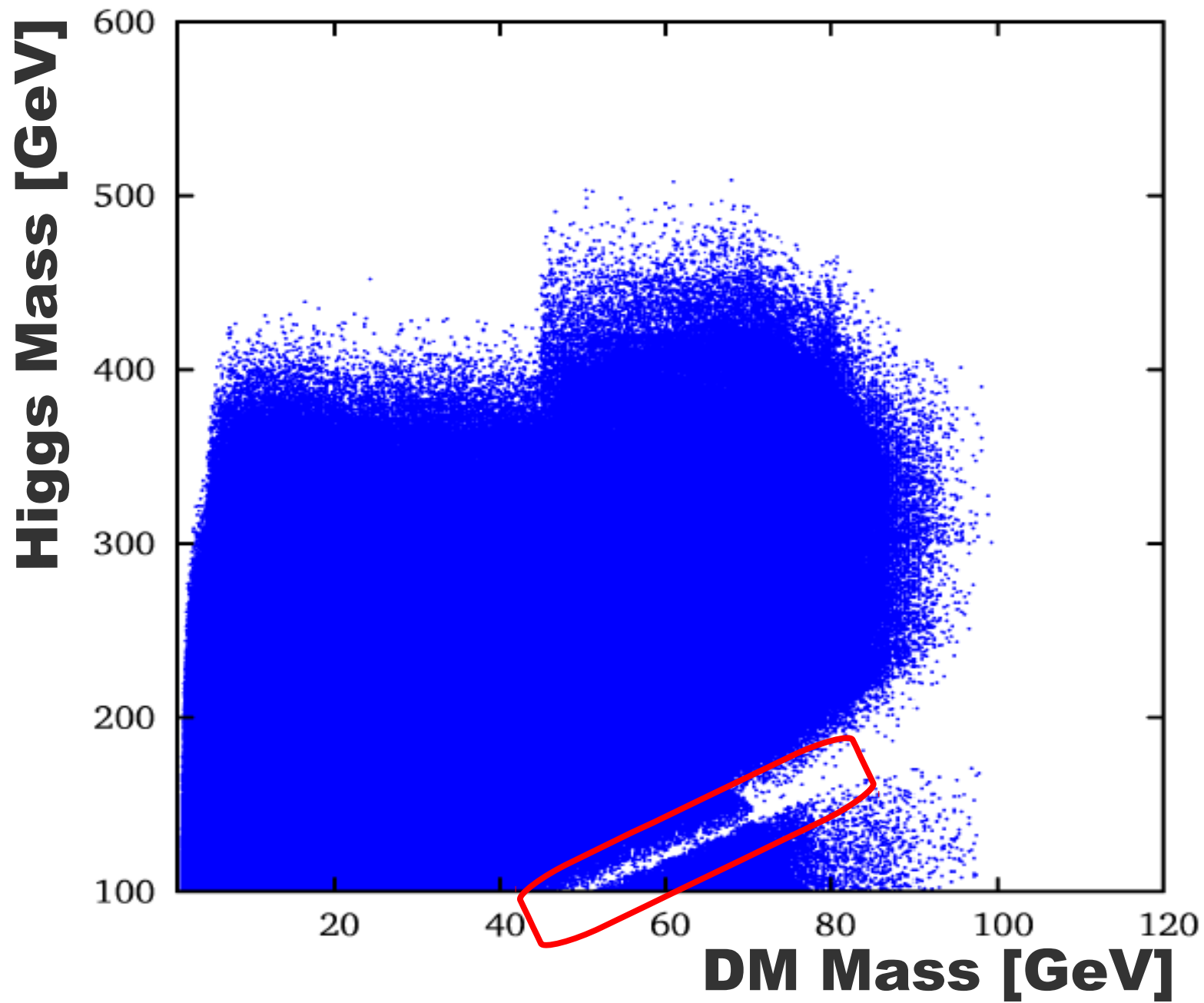
... Perturbativity

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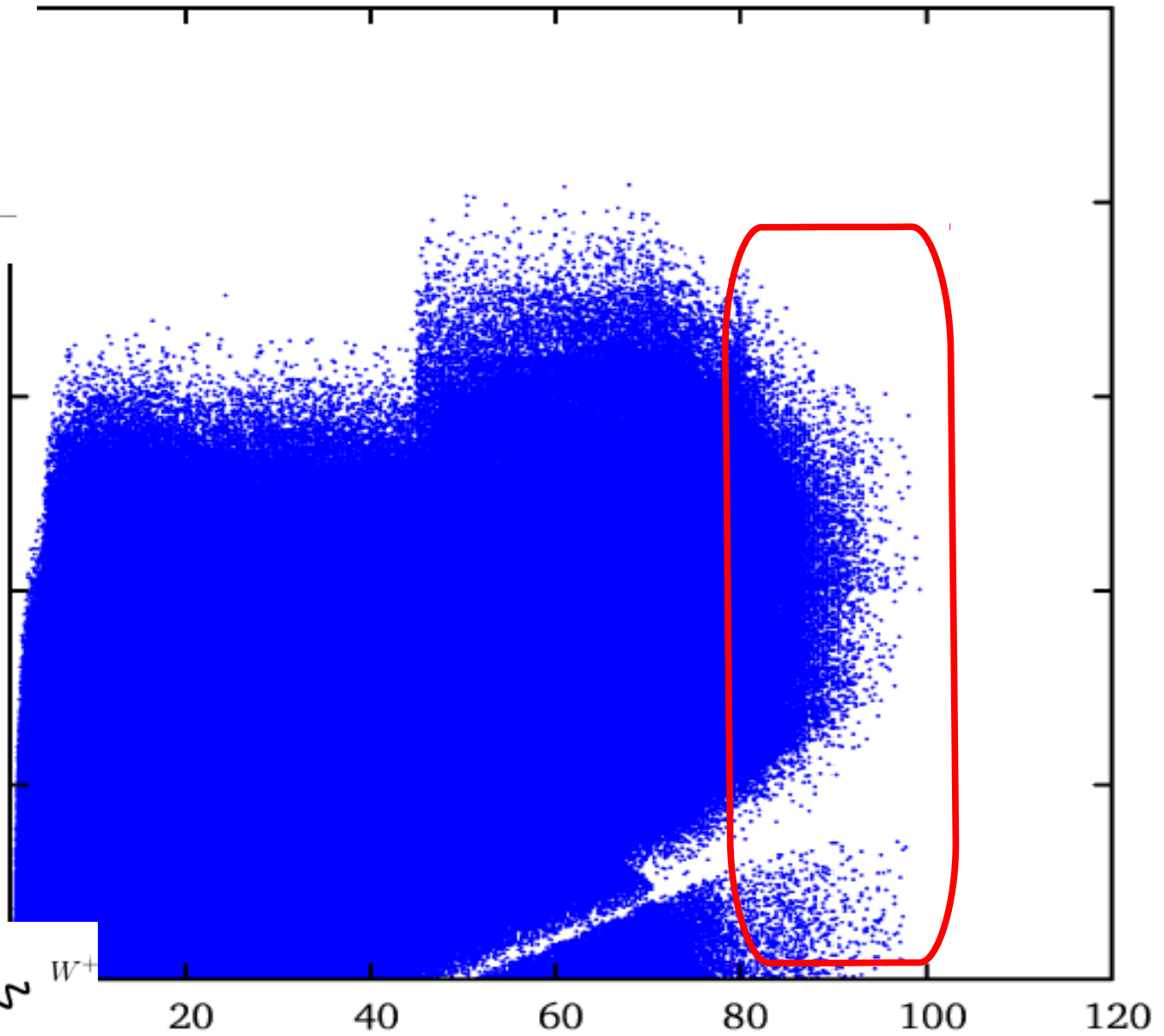
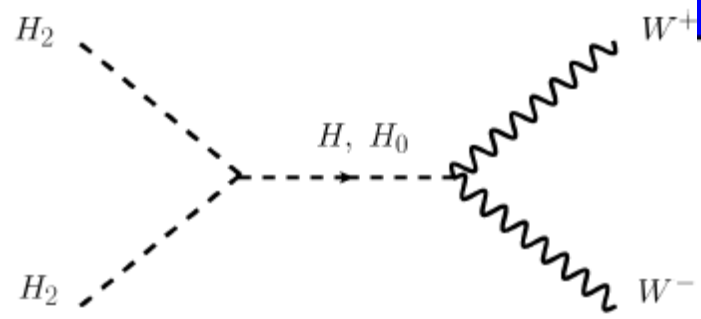
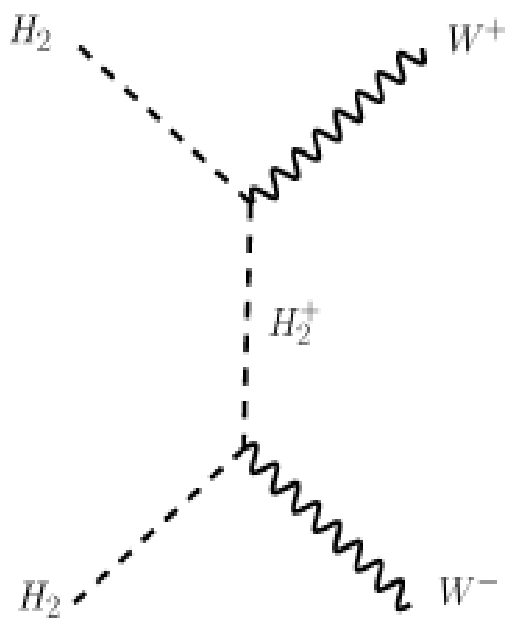
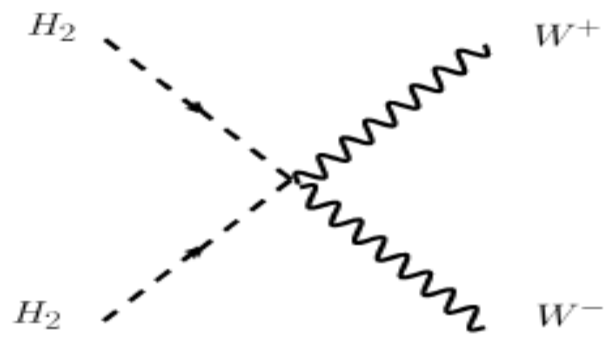




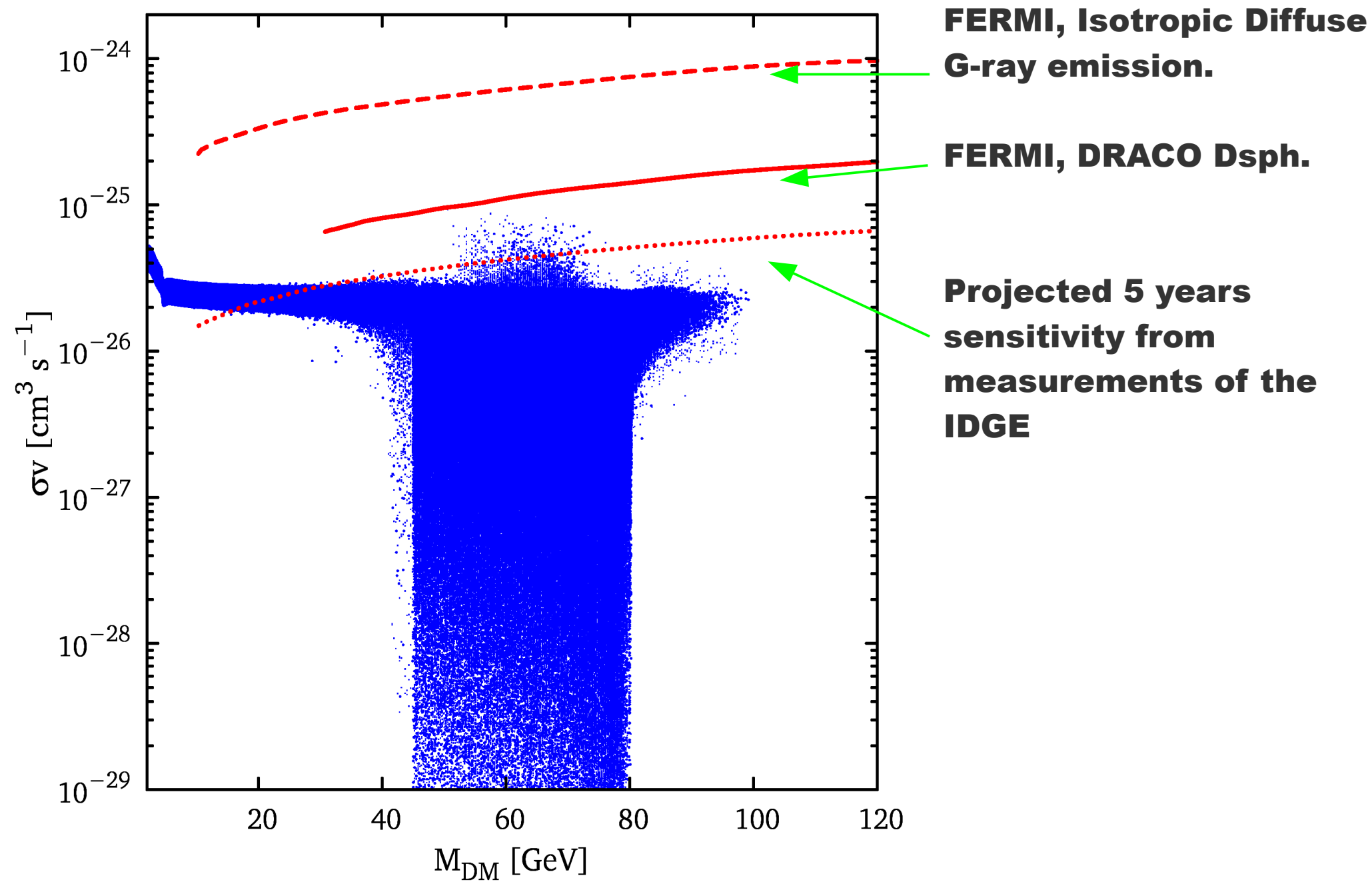




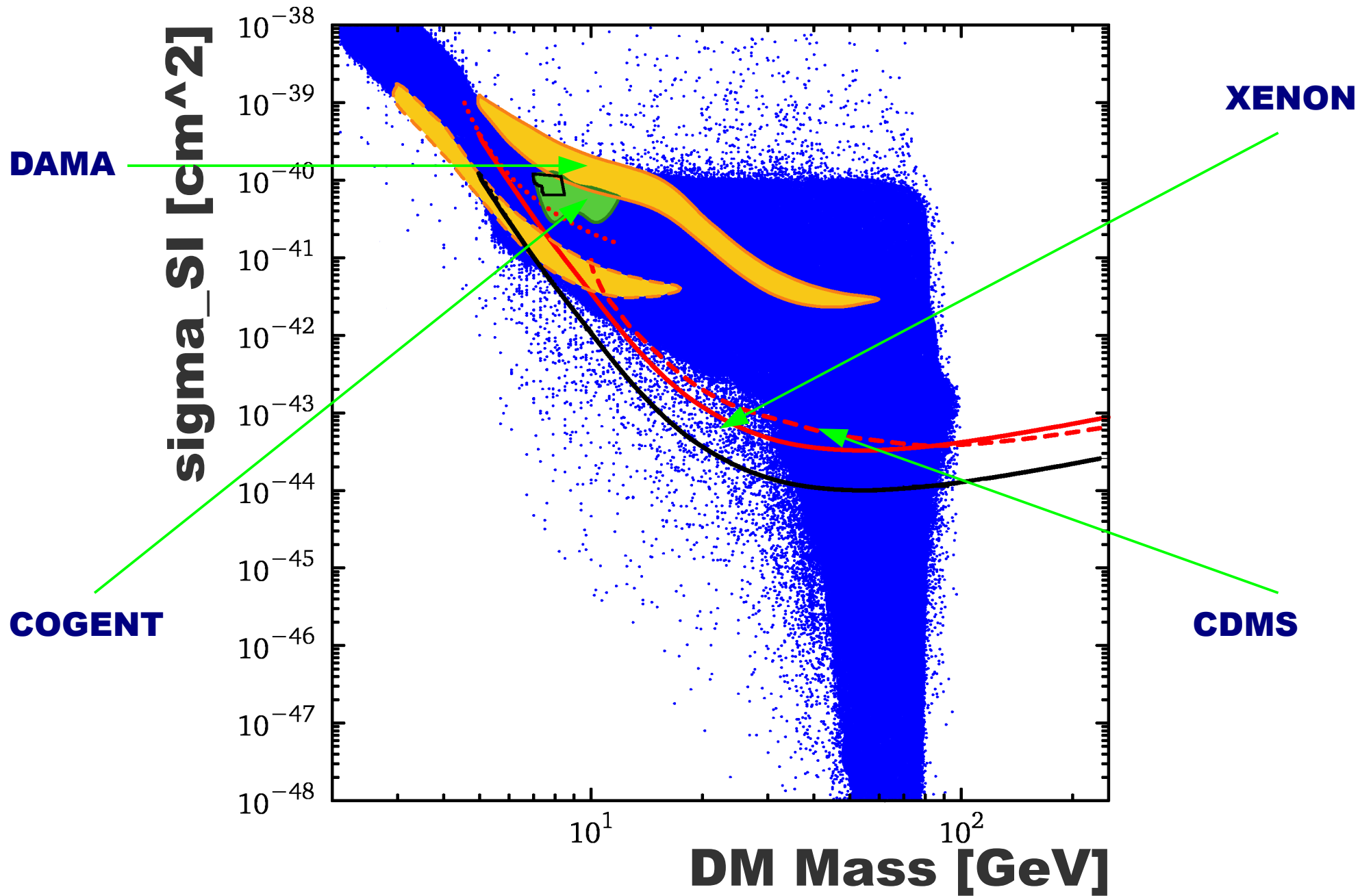
$$M_{DM} \sim M_H/2$$



DM Mass [GeV]



... Indirect Detection



... Direct Detection

The Model offers a stable DM candidate due to a residual symmetry arising from a discrete non-Abelian flavor symmetry.

... It is consistent with Neutrino Phenomenology

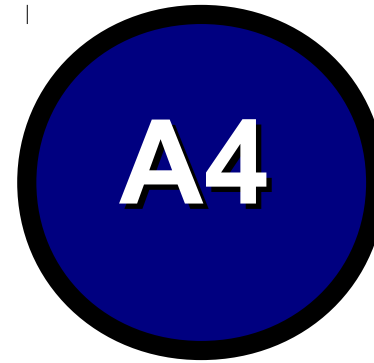
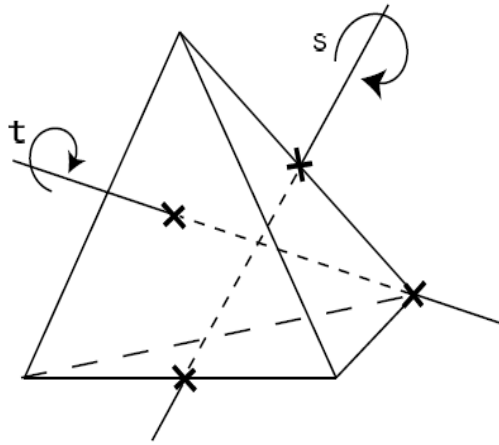
... Predicts IH & vanishing theta13 $m_3 = 0$
 $\theta_{13} = 0$

... We found Regions compatible with Cosmology

... Direct detection possibilities.

... T2K → **Meloni, Morisi, Peinado, 1011.1371, *Phys.Lett. B697 (2011) 339-342***

... Thanks



Irrep: three singlets 1, 1', 1'' and one triplet 3

smallest discrete group
with triplet irrep

$$1' \times 1' = 1'', 1' \times 1'' = 1, 1'' \times 1'' = 1' \text{ etc.}$$

$$3 \times 3 = 1 + 1' + 1'' + 3 + 3$$

A4 Symmetry

... The Generators are :

S and T

$$S^2 = T^3 = (ST)^3 = \mathcal{I}.$$

1, 1', 1'' and 3

1	$S = 1$	$T = 1$
1'	$S = 1$	$T = e^{i4\pi/3} \equiv \omega^2$
1''	$S = 1$	$T = e^{i2\pi/3} \equiv \omega$

$$S = \begin{pmatrix} 1 & 0 & 0 \\ 0 & -1 & 0 \\ 0 & 0 & -1 \end{pmatrix} \quad T = \begin{pmatrix} 0 & 1 & 0 \\ 0 & 0 & 1 \\ 1 & 0 & 0 \end{pmatrix}$$