

The Higgs Boson at LHC

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presented by: [Eduardo Ros](#) (*IFIC-Valencia*)

- 1964 – Higgs mechanism (P. Higgs and others)
- 1967 – The Standard Model (S. Weinberg, A. Salam)
- 2000 – End of LEP/ Higgs boson not found
- 2007 – Start of LHC $\left\{ \begin{array}{l} 3 \text{ years low lumi } L = 3 \cdot 10^4 \text{ pb}^{-1} \\ 3 \text{ years high lumi } L = 3 \cdot 10^5 \text{ pb}^{-1} \end{array} \right.$
- 2010 – First signal of Higgs boson at LHC
- 2014 – First measurements of Higgs boson properties
(mass, width, decays, couplings, etc...)

1964 - 2014 = 50 years

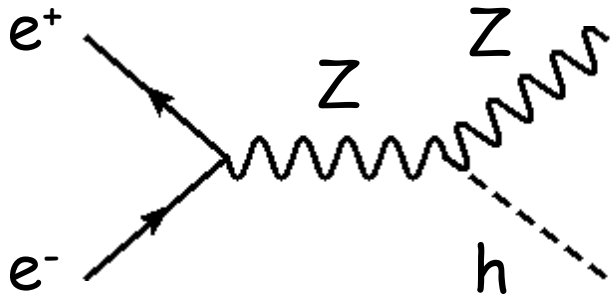
- Because we want the Standard Model to be renormalizable
- Because we don't want Goldstone bosons (spin 0 massless particles)

“From today’s perspective, it may seem odd that so much attention was focused on the issue of renormalizability. Like general relativity, the old theory of weak interactions based on four fermion interactions could have been regarded as an effective quantum field theory which works perfectly well at sufficiently low energy and with the introduction of a few additional free parameters even allows the calculation of quantum corrections.”

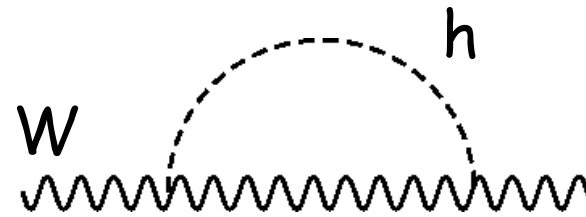
*S. Weinberg, The making of Standard model
(CERN, 16 – Sept – 2003)*

Direct searches at LEP

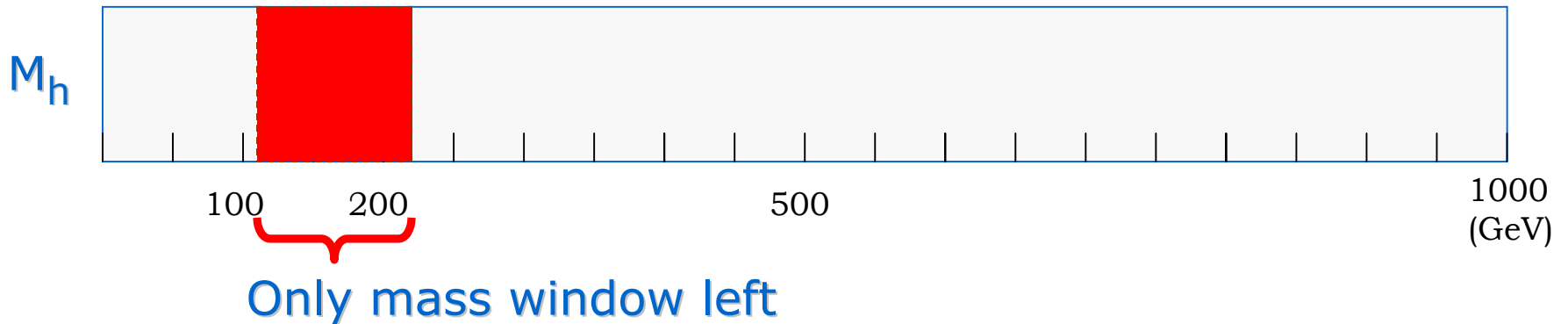
Loop corrections → LEP observables



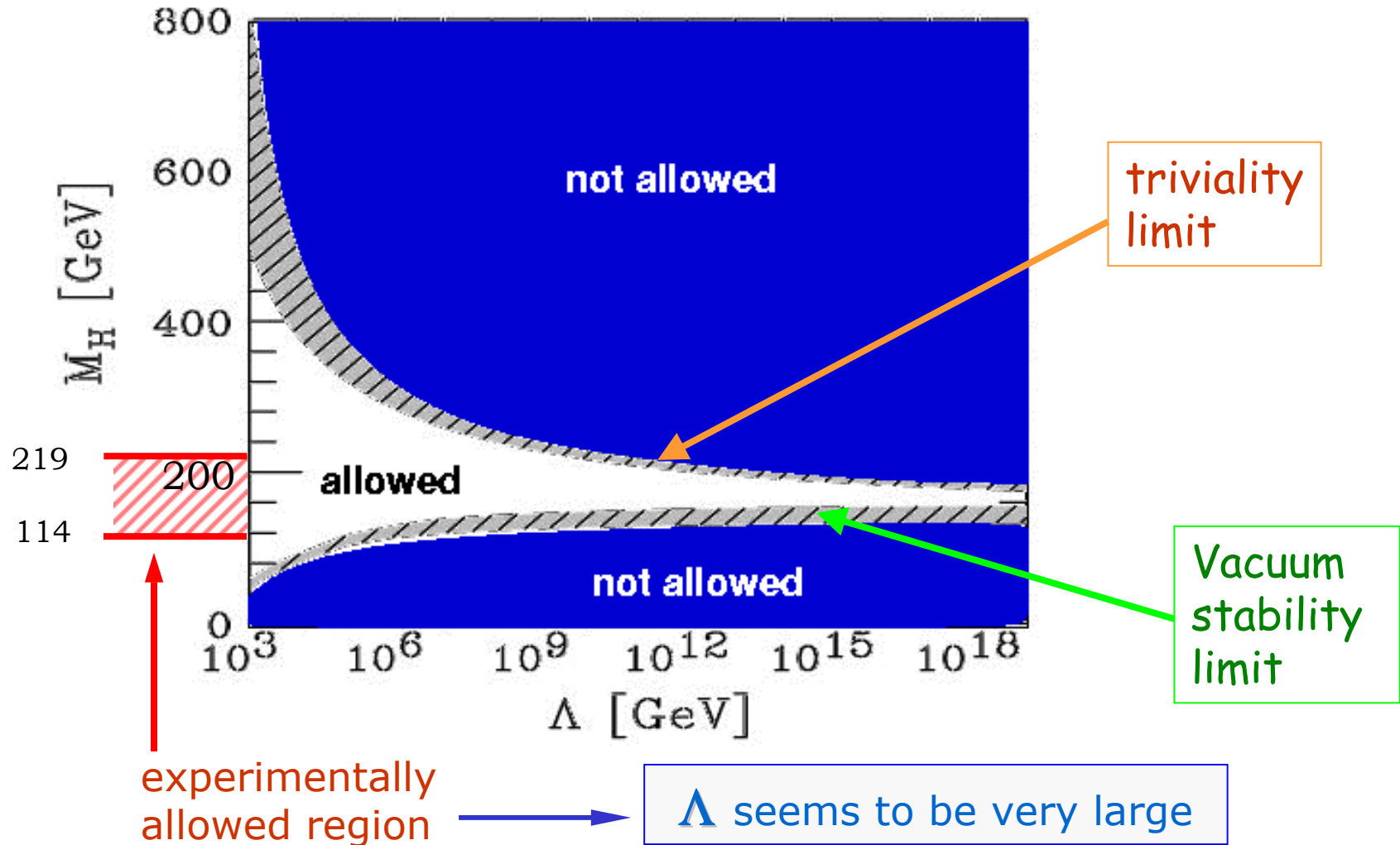
$M_h > 114 \text{ GeV}$



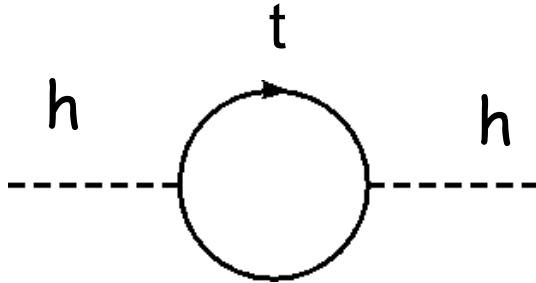
$M_h < 219 \text{ GeV}$
(sensitive to $\Delta\alpha, M_t$)



Λ = Scale for new physics beyond the Standard Model



Loop corrections to Higgs mass



$$m_h^2 = \underbrace{m_h^2(o)}_{\text{base mass}} + \underbrace{\delta m_h^2}_{\text{loop corrections}}$$

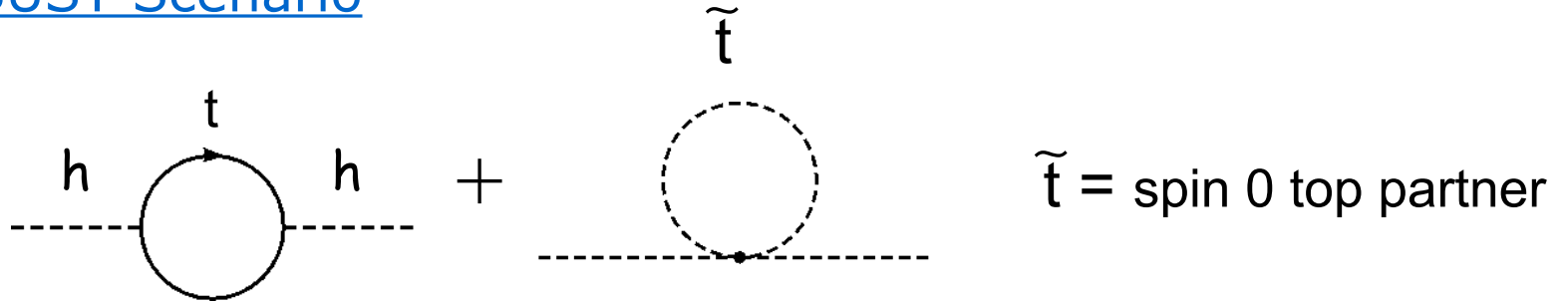
$$\delta m_h = \sqrt{\frac{3}{2}} \frac{m_t}{\pi} \frac{\Lambda}{\Lambda_{\text{ew}}} \approx 0.3 \Lambda$$

$\left\{ \begin{array}{l} \Lambda = \text{scale for new physics} \\ \text{beyond SM} \\ \Lambda_{\text{ew}} = \text{ew scale} = 244 \text{ GeV} \end{array} \right.$



$$m_h \approx \Lambda$$

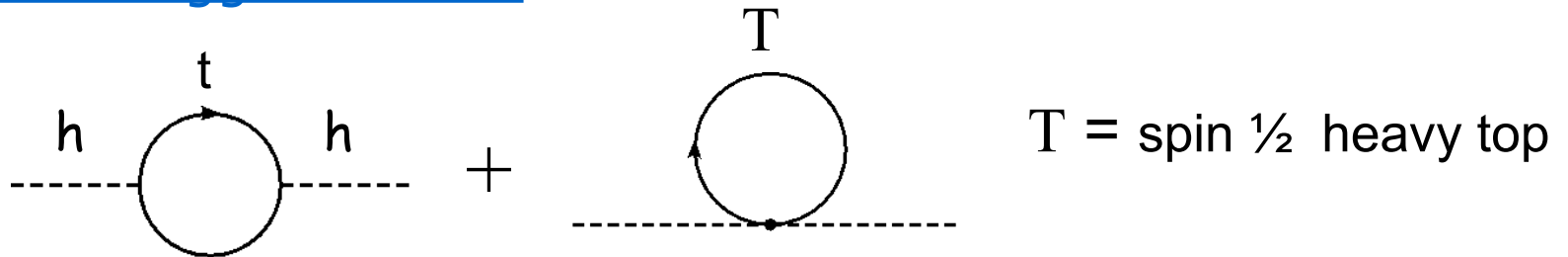
The SUSY Scenario



exact SUSY $\rightarrow \delta m_h = 0$

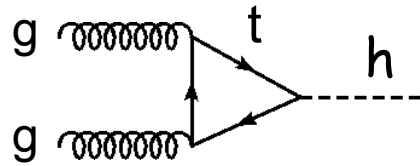
broken SUSY $\rightarrow \Lambda_{\text{SUSY}} \sim 1 \text{ TeV}$ to avoid fine tuning

The Little Higgs Scenario

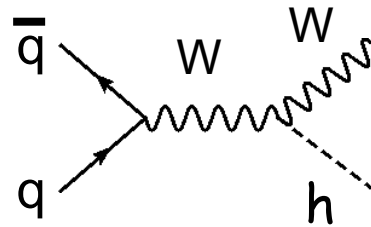


$M(T) \sim 1 \text{ TeV}$ to avoid fine tuning

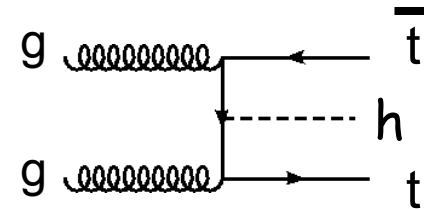
gluon-gluon fusion



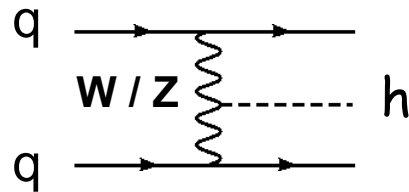
Associated prod. (W)



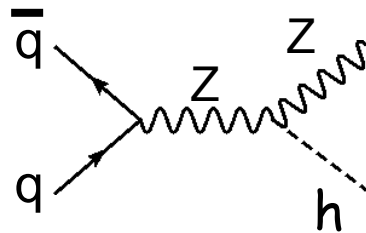
Associated prod. (t)



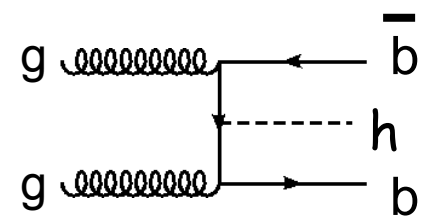
W/Z fusion (VBF)



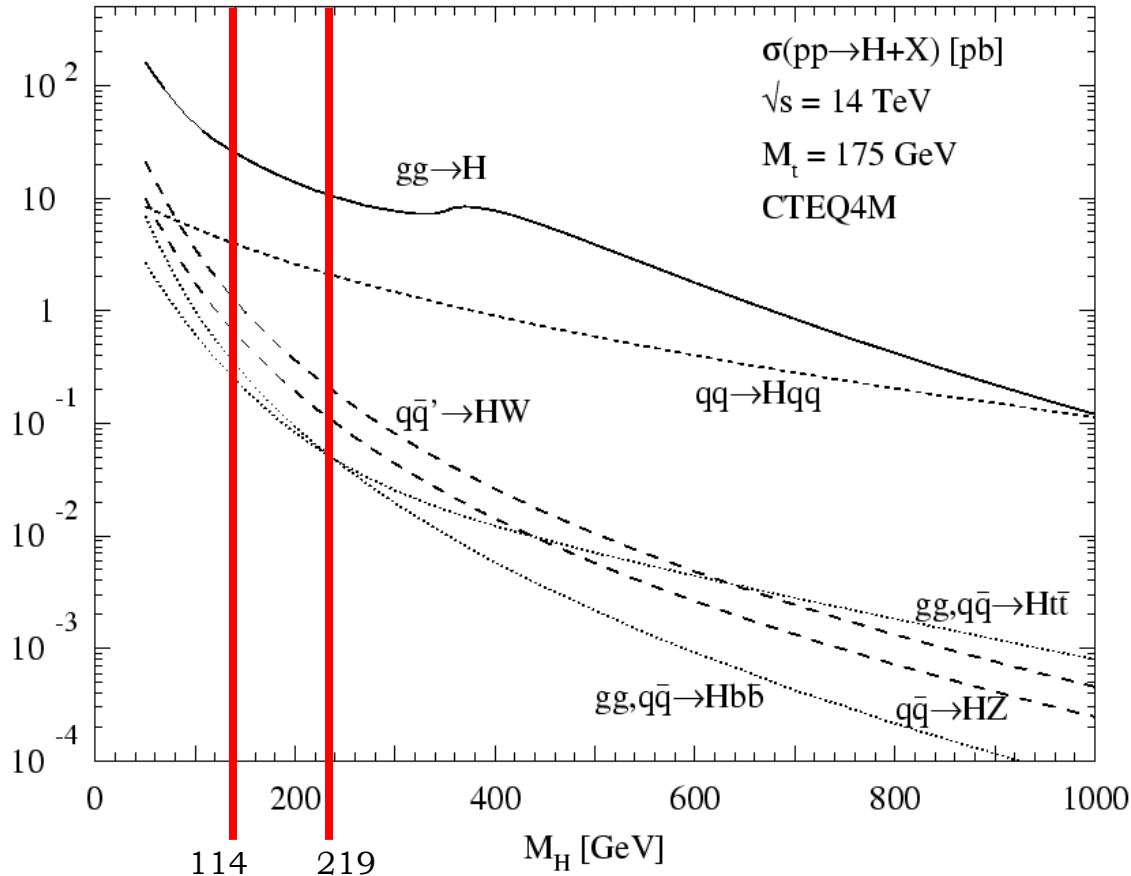
Associated prod. (Z)



Associated prod. (b)



Example
 $m_h = 140 \text{ GeV}$

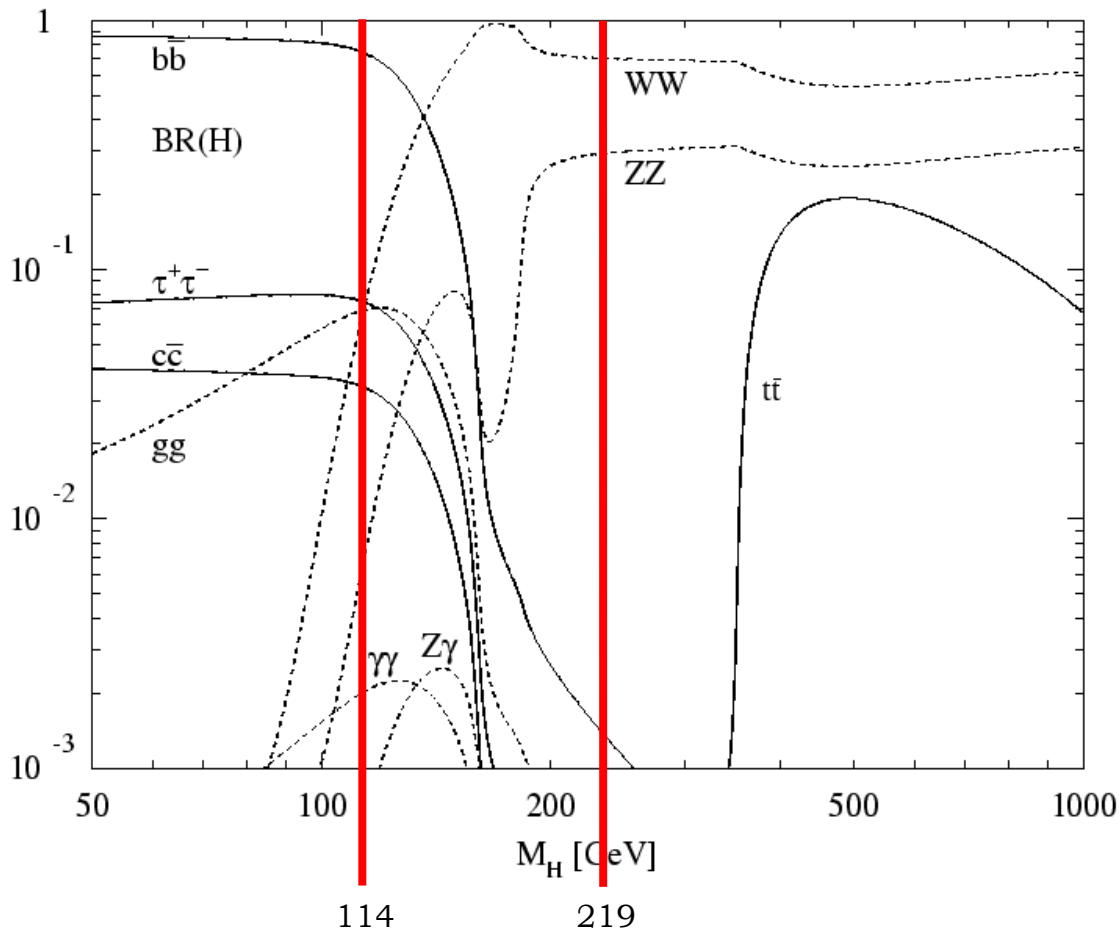


experimentally allowed region

prod.	σ (pb)	events/year
$g g \rightarrow h$	25	250 000
$W W \rightarrow h$	4.0	40 000
$h W$	1.2	12 000
$h Z$	0.6	6 000
$h t t$	0.2	2 000
$h b b$	0.3	3 000

low luminosity

Example
 $m_h = 140 \text{ GeV}$



decay	BR(%)
W W*	50
b b	33
Z Z*	6
g g	6
$\tau \tau$	4
c c	1
$\gamma \gamma$	0.2

$$m_h = 140 \text{ GeV}$$

$$g g \rightarrow h \rightarrow \gamma\gamma$$

$$h \rightarrow Z Z^* \rightarrow 4 l$$

$$g g \rightarrow t \bar{t} h \rightarrow t \bar{t} b \bar{b}$$

$$\bar{q} q \rightarrow \bar{q} q h \rightarrow \bar{q} q W W^*$$

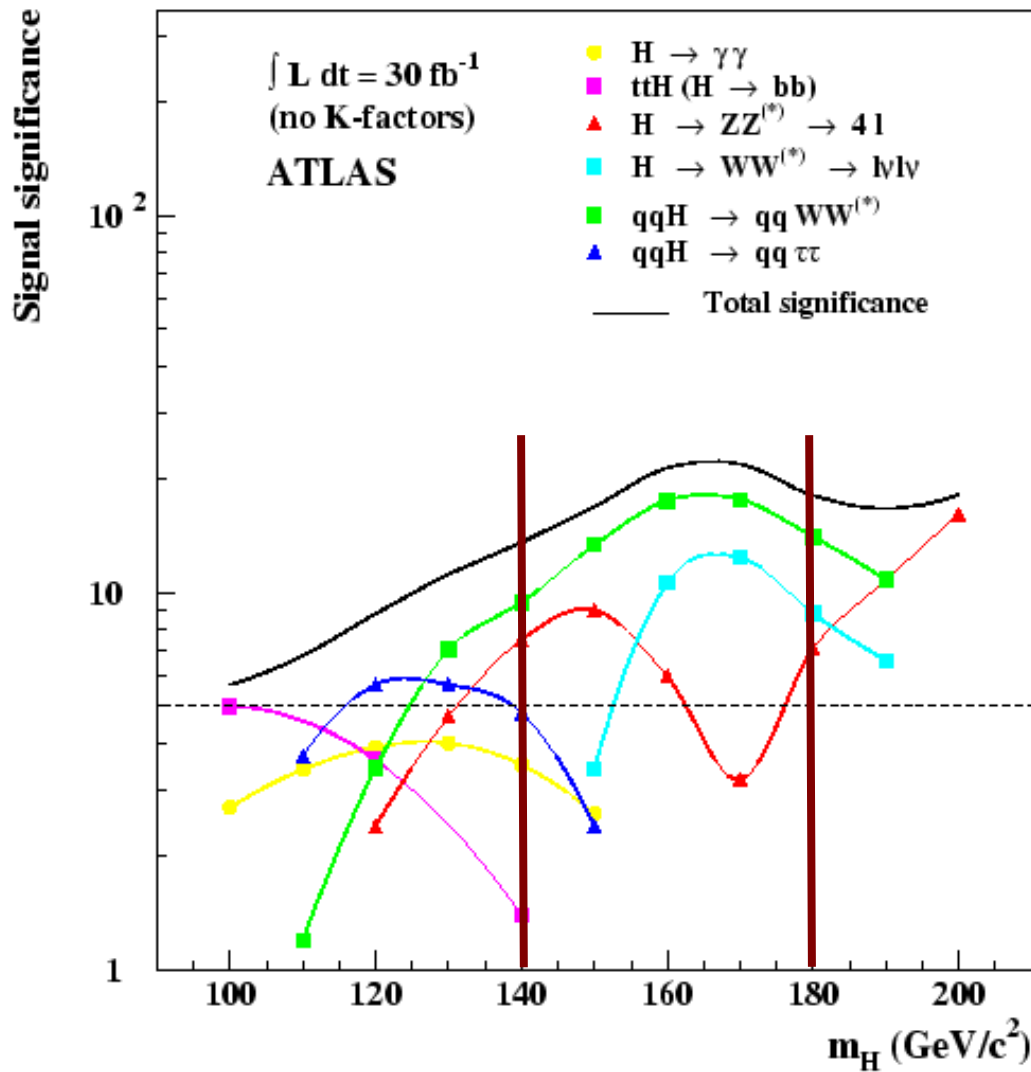
$$\rightarrow \bar{q} q \tau \tau$$

$$m_h = 180 \text{ GeV}$$

$$g g \rightarrow h \rightarrow W W^*$$

$$h \rightarrow Z Z^*$$

$$\bar{q} q \rightarrow \bar{q} q h \rightarrow \bar{q} q W W^*$$

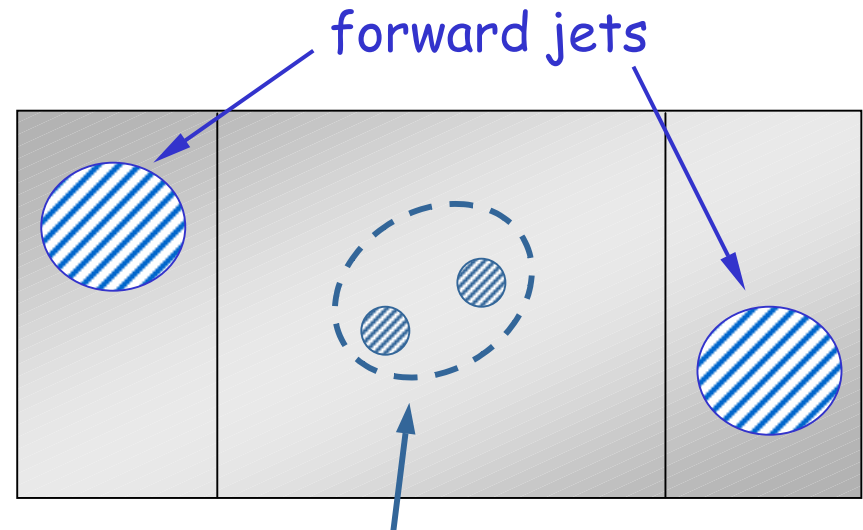
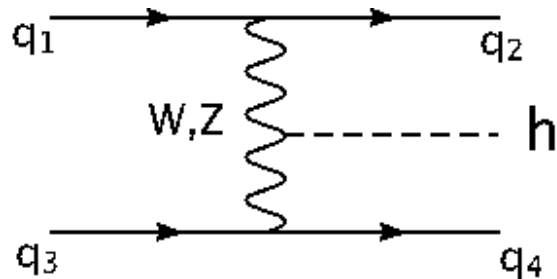


$$\text{Significance } S = \frac{N(\text{signal})}{\sqrt{N(\text{bkg})}}$$

$$L = 30 \text{ fb}^{-1} = 3 \text{ years/low lumi}$$

$$\text{Discovery} \Rightarrow S > 5$$

	$m_h = 140 \text{ GeV}$	$m_h = 180 \text{ GeV}$
$\gamma\gamma$	3	WW^* 9
$tt \text{ } bb$	1	ZZ^* 7
ZZ^*	7	
$qq \text{ } WW^*$	9	$qq \text{ } WW^*$ 13
$qq \text{ } \tau\tau$	5	
total S	13	total S 17



Signature:

- 2 high p_T jets with large rapidity gap
- no hadronic activity in central region

higgs decay products (leptons)

Key issues:

- trigger
- tagging of fwd/bwd jets
- central jet veto

h decays: $h \rightarrow WW^* \rightarrow \ell \nu \ell \nu$
 $\rightarrow \tau\tau \rightarrow \ell \nu \nu \ell \nu \nu$ } 2 leptons

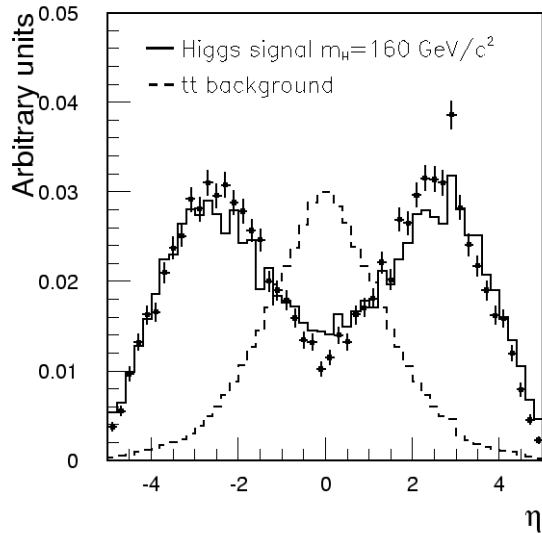
ATLAS trigger: $|\eta| < 2.5$ in all cases

single leptons { $e \quad p_T > 25 \text{ GeV}$
 $\mu \quad p_T > 20 \text{ GeV}$

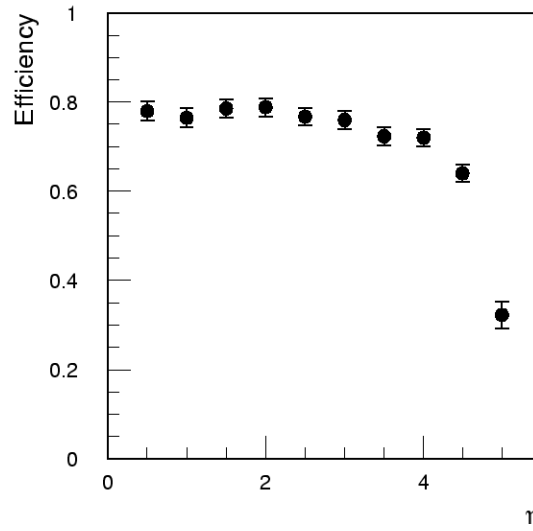
dileptons { $ee \quad p_T > 15, 15 \text{ GeV}$
 $\mu\mu \quad p_T > 10, 10 \text{ GeV}$
 $e\mu \quad p_T > 15, 10 \text{ GeV}$

Calorimeter coverage:

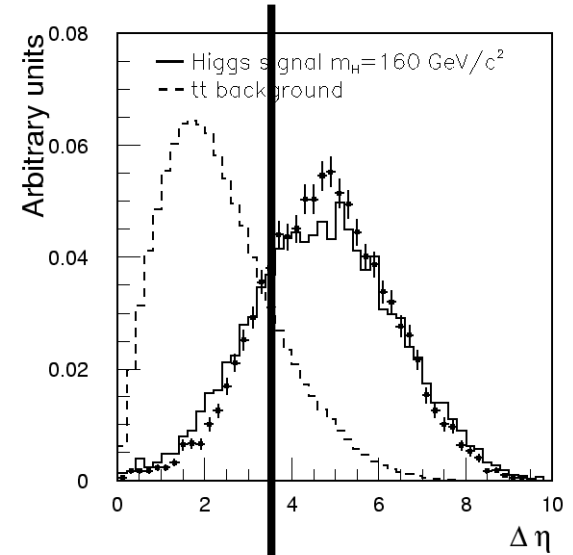
$$|\eta| < 4.9$$



Events with 2 jets
with $p_T > 20 \text{ GeV}$



Efficiency for
reconstructing jets
with $p_T > 20 \text{ GeV}$



rapidity gap
cut $\Delta\eta > 3.8$

jet veto

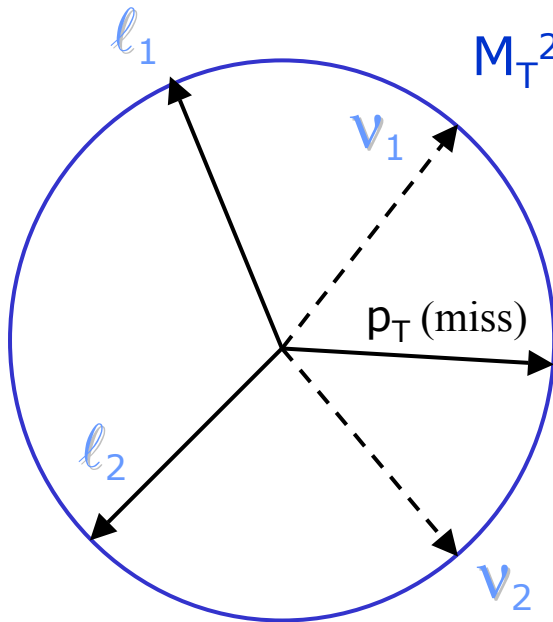
no events with a third jet
with $p_T > 20 \text{ GeV}$ in central
region ($|\eta| < 3$)

$$h \rightarrow WW^* \rightarrow \ell_1 \nu_1 \ell_2 \nu_2$$

Request 2 leptons + $p_T(\text{miss}) > 30 \text{ GeV}$

only $M_T(h)$ can be reconstructed

$$M_T^2 = (E_T(\ell\ell) + E_T(\nu\nu))^2 - (\vec{p}_T(\ell\ell) + \vec{p}_T(\nu\nu))^2$$



Transverse plane

$$\begin{cases} E_T(\ell\ell)^2 = p_T(\ell\ell)^2 + m(\ell\ell)^2 \\ E_T(\nu\nu)^2 = p_T(\nu\nu)^2 + m(\nu\nu)^2 \end{cases}$$

\swarrow \searrow
 $p_T(\text{miss})$ $\approx m(\ell\ell)^2$

Example: $M_h = 160 \text{ GeV}$

Selection:

jets $\left\{ \begin{array}{l} p_T(j_1) > 40 \text{ GeV} \text{ and } p_T(j_2) > 40 \text{ GeV} \\ \Delta\eta > 3.8 \end{array} \right.$ No jets with $p_T > 20 \text{ GeV}$ and $|\eta| < 3.2$

leptons $\left\{ \begin{array}{l} p_T(\ell_1) > 20 \text{ GeV} \text{ and } p_T(\ell_2) > 15 \text{ GeV} \text{ and } |\eta| < 2.5 \\ + \text{ angular correlations} \end{array} \right.$

missing energy: $|p_{T(\text{miss})}| > 30 \text{ GeV}$

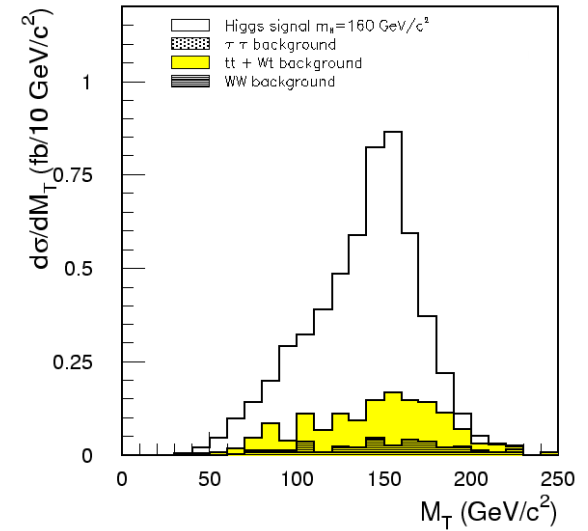
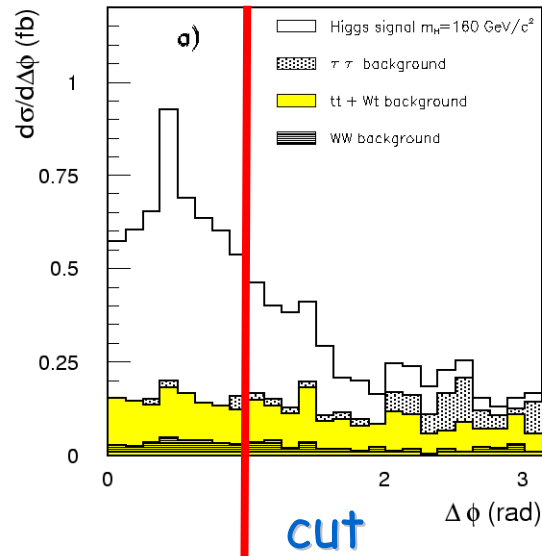
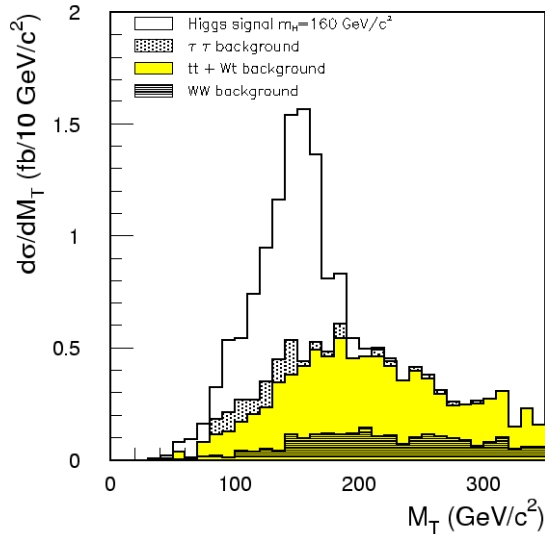
Signal vs bkg (only $e\mu$ channel)

$\sigma(\text{fb})$	Signal	$t\bar{t}$	$WW+\text{jets}$	$Z/\gamma^* + \text{jets}$	total bkg
before cuts	29.6	6073	14.2	6.0	-
after cuts	3.8	0.7	0.3	-	1.0

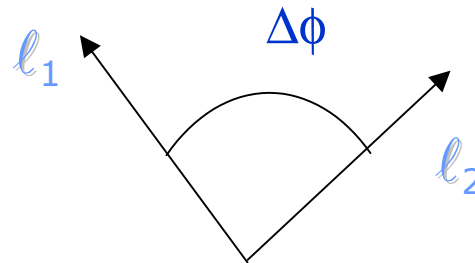
Example: $M_h = 160 \text{ GeV}$

$M_T < 175 \text{ GeV}$

$|\Delta\phi_{\ell\ell}| < 1$

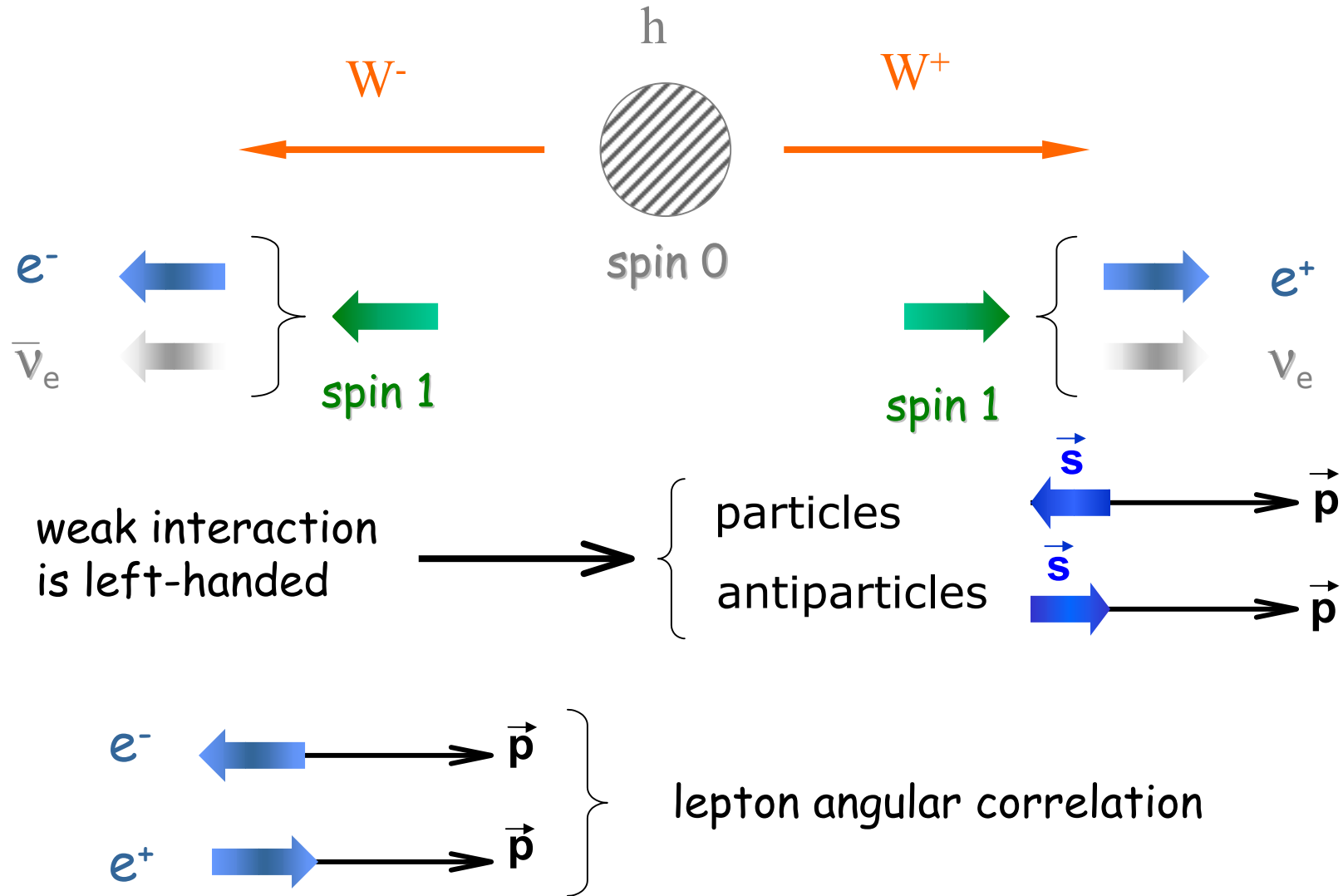


All cuts except
lepton angular
correlations



Transverse plane

All cuts including
lepton angular
correlations



Example: $M_h = 160 \text{ GeV}$
 $L = 10 \text{ fb}^{-1}$

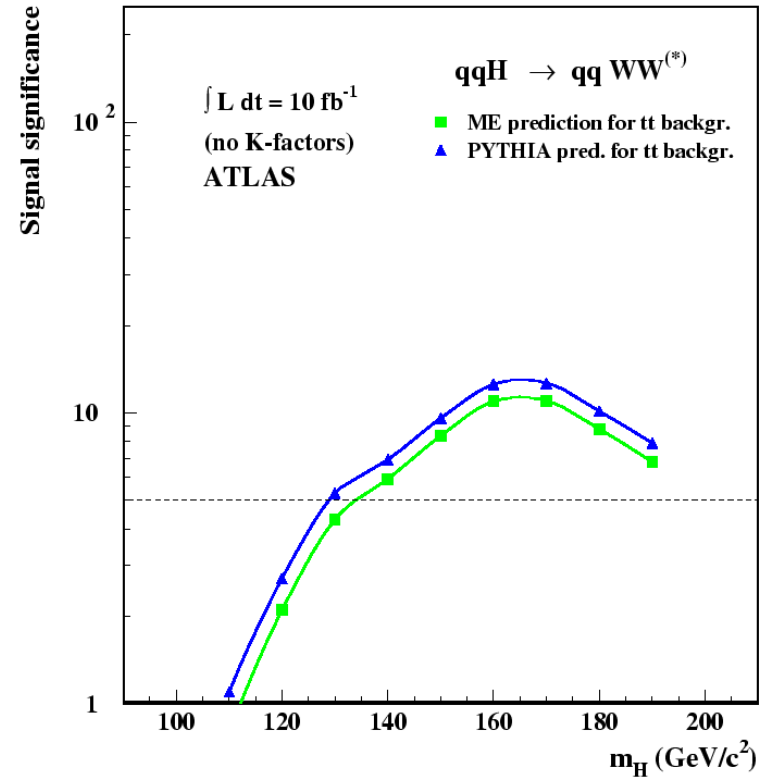
$50 \text{ GeV} < M_T < 175 \text{ GeV}$

expeted events	Signal	bkg	Signif.
$h \rightarrow WW^* \rightarrow e\mu$	42	12	8
... $\rightarrow ee + \mu\mu$	40	14	7
... $\rightarrow ljj$	24	18	5

- Significance calculated using Poisson statistics
- Significance includes small contribution from $gg \rightarrow h \rightarrow WW^*$

Total significance ≈ 11

$h \rightarrow WW^* \rightarrow e\mu / ee + \mu\mu / ljj$

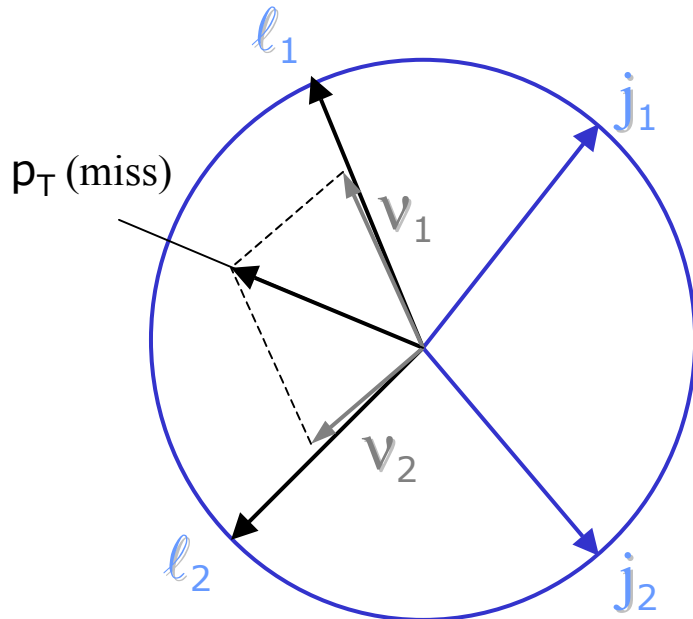


Significance > 5 for $M_h > 130 \text{ GeV}$
 after $L = 10 \text{ fb}^{-1}$ (1 year low lumi.)

$$h \rightarrow \tau\tau \rightarrow \ell_1 \nu\nu \ell_2 \nu\nu$$

Request 2 leptons + p_T (miss) > 50 GeV

in this case $M(h)$ can be reconstructed



$$m_\tau = 0 \quad \begin{cases} \vec{p}_{\nu_1} = \lambda \vec{p}_{\ell_1} \\ \vec{p}_{\nu_2} = \lambda \vec{p}_{\ell_2} \end{cases}$$

$$\left\{ \begin{array}{l} \vec{p}_{\text{miss}} = \vec{p}_{\nu_1} + \vec{p}_{\nu_2} = \lambda_1 \vec{p}_{\ell_1} + \lambda_2 \vec{p}_{\ell_2} \\ \text{can be solved in the transverse plane} \\ \text{(2 equations and 2 unknowns, } \lambda_1 \text{ and } \lambda_2 \text{)} \end{array} \right.$$

Transverse plane

Example: $M_h = 120$ GeV

Selection:

jets $\left\{ \begin{array}{l} p_T(j_1) > 50 \text{ GeV} \text{ and } p_T(j_2) > 30 \text{ GeV} \\ |\Delta\eta| > 4.4 \end{array} \right. \quad \text{No jets with } p_T > 20 \text{ GeV and } |\eta| < 3.2$

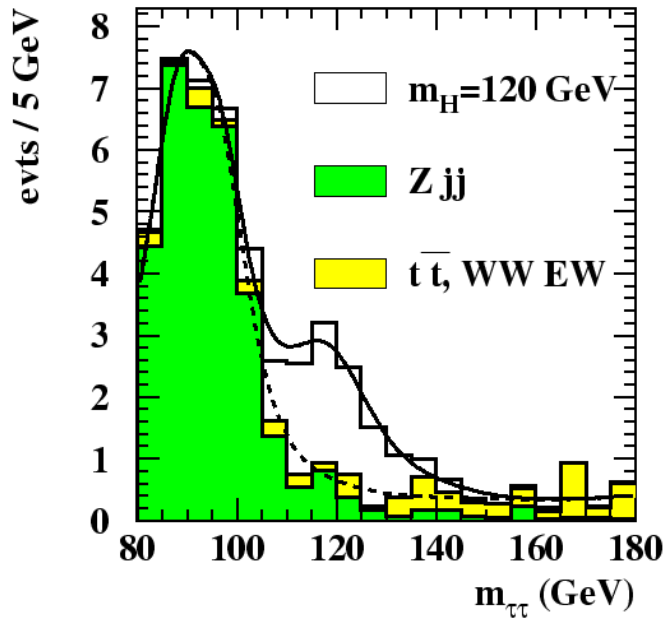
leptons $\left\{ \begin{array}{l} p_T(e) > 15 \text{ GeV} \quad |\eta| < 2.5 \\ p_T(\mu) > 10 \text{ GeV} \end{array} \right\} \quad 2 \text{ leptons required}$

missing energy: $|p_{T(\text{miss})}| > 50 \text{ GeV}$

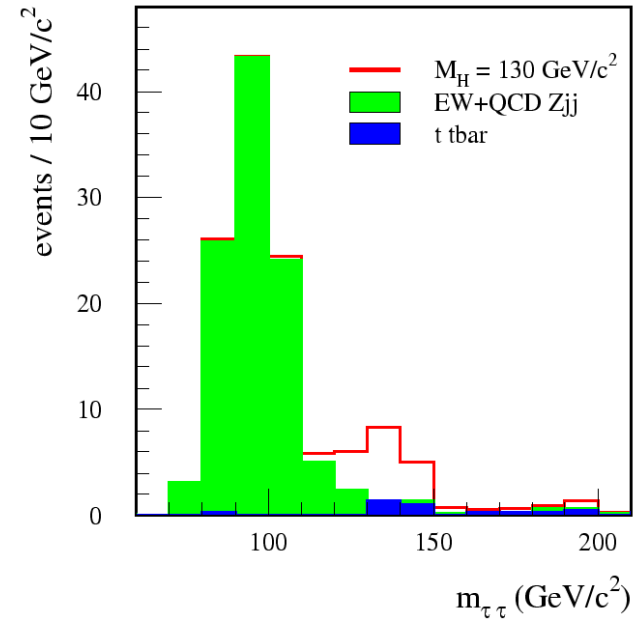
Signal vs bkg (only e μ channel) $110 \text{ GeV} < M(\tau\tau) < 135 \text{ GeV}$

$\sigma(\text{fb})$	Signal	tt	WW+jets	Z/ γ^* + jets	total bkg
before cuts	5.6	2014	18.2	11.6	-
after cuts	0.27	0.03	0.02	0.19	0.24

$e\mu$ channel ($L = 30 \text{ fb}^{-1}$)



$l h$ channel ($L = 30 \text{ fb}^{-1}$)



$\sigma(\text{fb})$	Signal	bkg
$h \rightarrow \tau\tau \rightarrow e\mu$	0.27	0.24
$\dots \rightarrow ee + \mu\mu$	0.27	0.22
$\dots \rightarrow l h$	0.52	0.27

Example: $M_h = 120 \text{ GeV}$
 $L = 10 \text{ fb}^{-1}$

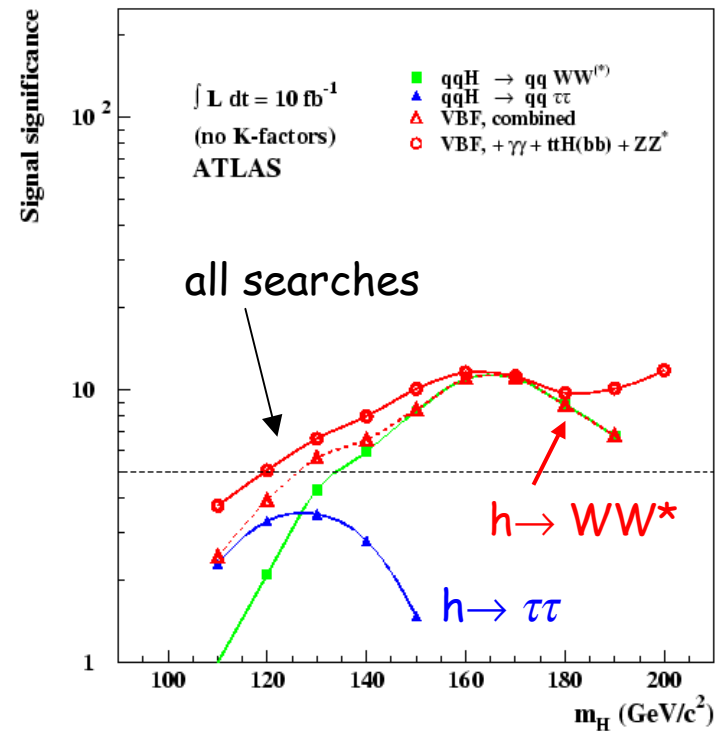
$110 \text{ GeV} < M(\tau\tau) < 135 \text{ GeV}$

expeted events	Signal	bkg	Signif.
$h \rightarrow \tau\tau \rightarrow e\mu$	4.6	3.9	1.3
... $\rightarrow ee + \mu\mu$	4.5	3.6	1.3
... $\rightarrow \ell h$	8.5	4.2	2.3

- Significance calculated using Poisson statistics
- Significance includes small contribution from $gg \rightarrow h \rightarrow \tau\tau$

Total significance ≈ 3

$h \rightarrow \tau\tau \rightarrow e\mu / ee + \mu\mu / \ell h$



$h \rightarrow \tau\tau$ useful if $M_h < 130 \text{ GeV}$

• MSSM = Minimal Supersymmetric Standard Model

• Higgs Sector =

h	A	H	H^+	H^-
neutral			charged	

$\left\{ \begin{array}{l} h, H = \text{scalars} \\ A = \text{pseudoscalar} \end{array} \right.$

mass hierarchy : $m_h < m_A < m_H$

Tree level : $m_h^2 < M_Z^2 \cos 2\beta < M_Z^2$

Only 2 free parameters = $m_A, \tan \beta$

Loop corrections: $m_h^2 < M_Z^2 \cos 2\beta + \varepsilon(M_s, M_2, \mu, X_t, m_{\tilde{g}})$

many free parameters \rightarrow various scenarios

t has 2 partners (\tilde{t}_R, \tilde{t}_L) which can mix
via the mixing parameters μ, X_t

The heaviest eigenstate is called $M_{\text{SUSY}} \equiv M_S$

maximal m_h scenario: $X_t = 2 M_S$ $\mu = -200 \text{ GeV}$

No mixing scenario: $X_t = 0$ $\mu = -200 \text{ GeV}$

In both cases, all other free parameters fixed:

$M_S = 1 \text{ TeV}$ (Stop mass)
 $M_2 = 200 \text{ GeV}$ (Gaugino mass)
 $m_{\tilde{g}} = 800 \text{ GeV}$ (Gluino mass)

Many other scenarios are possible

Direct production limits

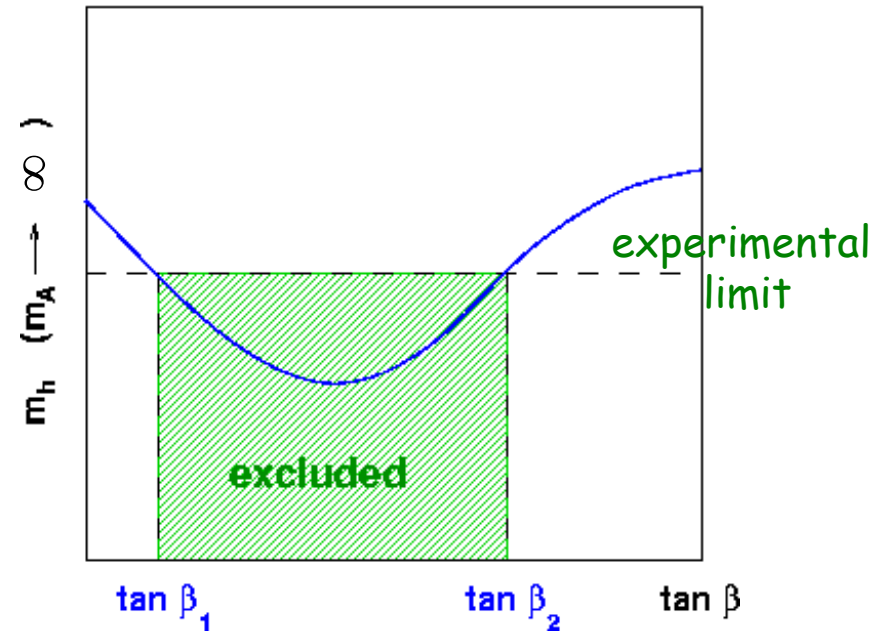
$$e^+e^- \rightarrow hZ \quad \sigma \sim \sin^2(\beta - \alpha)$$

$$e^+e^- \rightarrow hA \quad \sigma \sim \cos^2(\beta - \alpha)$$

$$h \rightarrow b \bar{b}, \tau^+ \tau^-$$

$$m_h > 91 \text{ GeV}$$

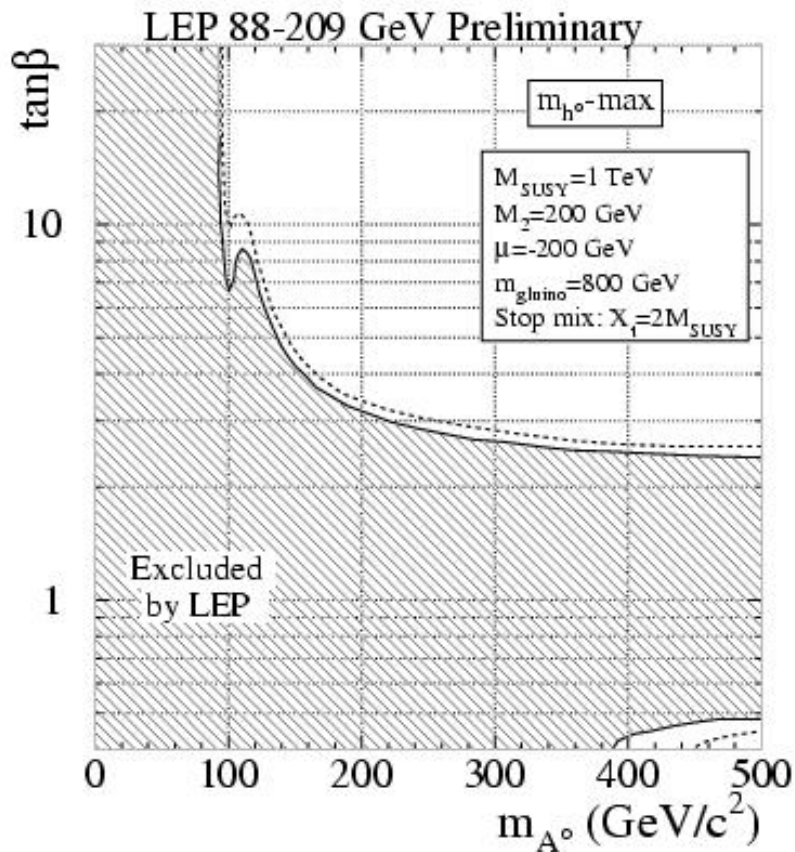
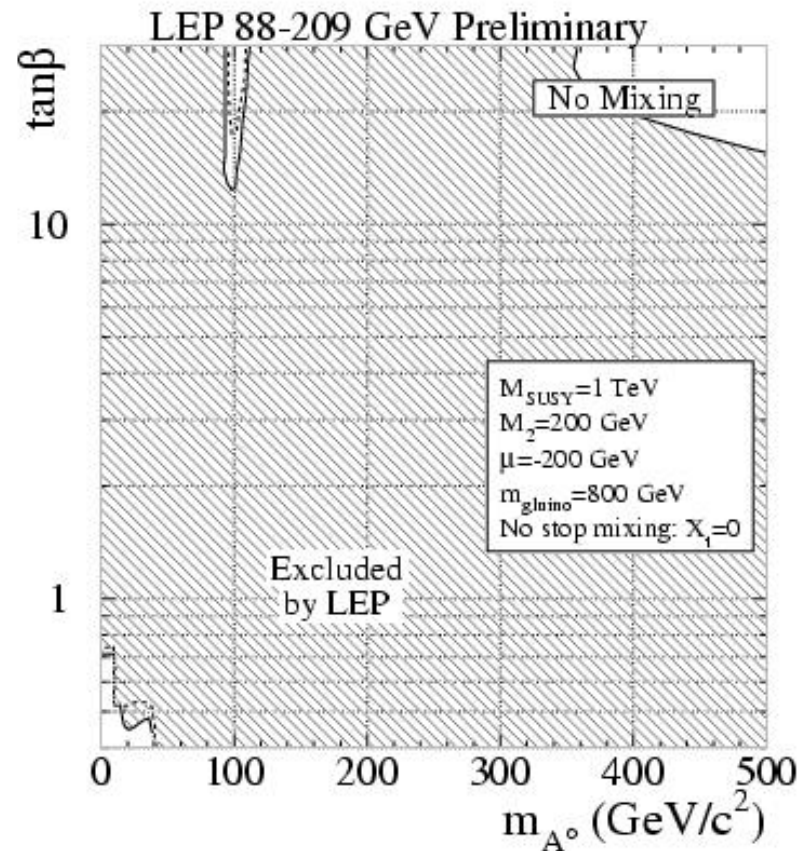
Rather scenario independent

Indirect limits

excluded regions ($m_A \rightarrow \infty$)

m_h - max scenario: $0.5 < \tan \beta < 2.4$

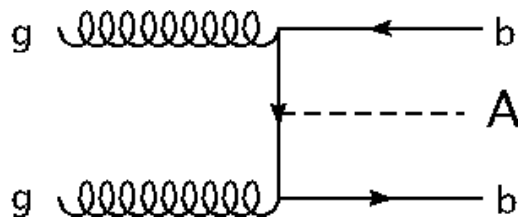
No_mix scenario: $0.7 < \tan \beta < 10.5$

m_h - max scenarioNo mix scenario

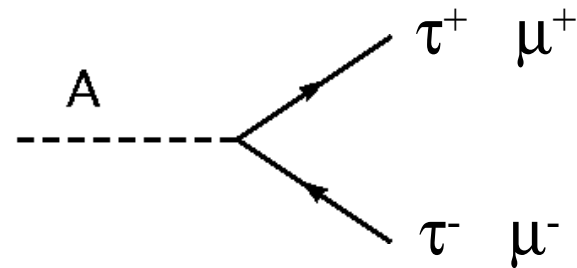
- use m_h -max as benchmark scenario
 - look for large $\tan \beta$ values
- use SM channels to look for h
 - reinterpretation of results in M_A - $\tan \beta$ plane
- In addition to h , look for A

(and if possible also for H^0, H^+, H^-)

$$A \text{ couplings to fermions} = \begin{cases} 1 / \tan \beta & (u) \\ \tan \beta & (d, l) \end{cases} * h \text{ (SM) couplings to fermions}$$

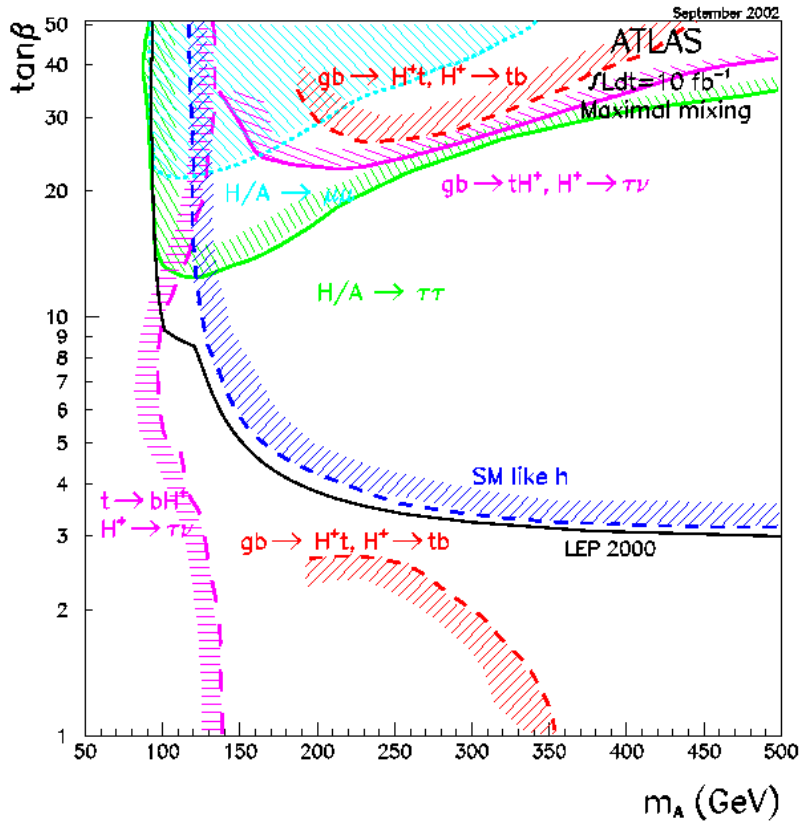


production

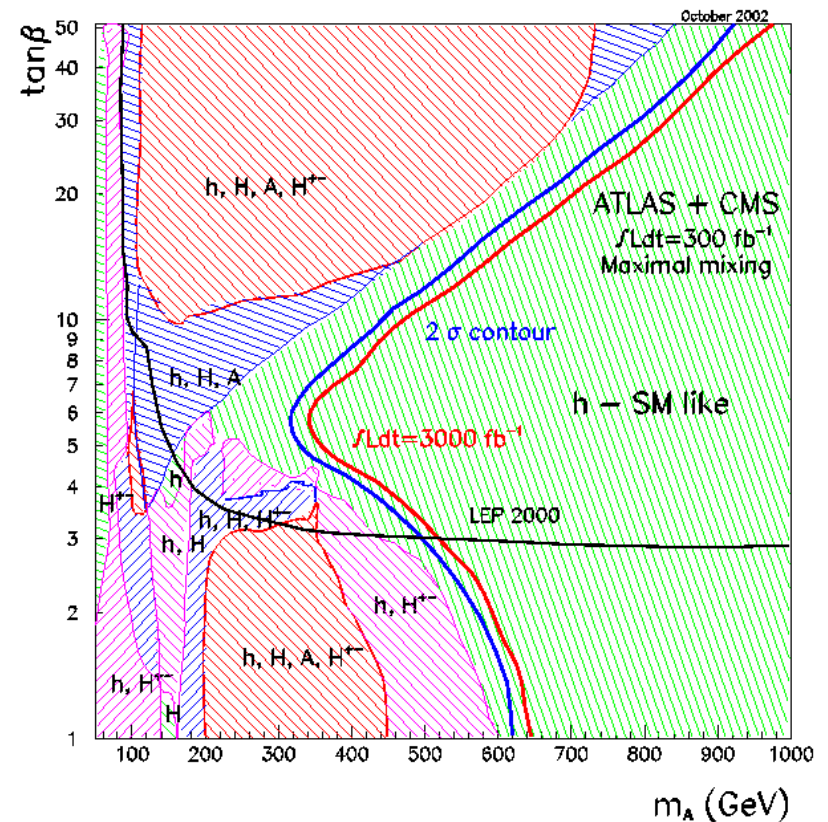


decay

A exclusion plot



Search for h, A, H, H^+, H^-



→ max m_h scenario can be excluded at LHC
 (But over large $m_A - \tan\beta$ region only possible to find h)

$gg \rightarrow h$ suppressed

$h \rightarrow b\bar{b}, \tau\tau$ suppressed

	mh - max	gluophobic	small α_{eff}
M_s	1 TeV	350 GeV	800 GeV
X_t	2 M_s	- 750 GeV	- 1.1 TeV
μ	- 200 GeV	- 200 GeV	2.5 M_s

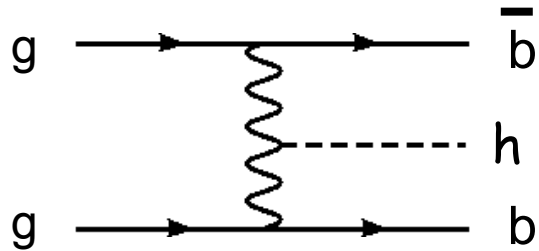
Even more exotic scenarios

$h \rightarrow \tilde{\chi}^0 \tilde{\chi}^0$ (stable neutralinos)

→ invisible Higgs

→ look for channels with large \cancel{E}_T

ME approach (2 → 3)

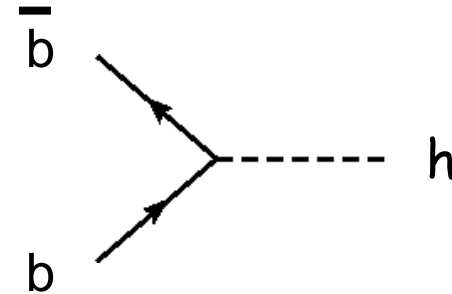


$$\sigma(s) = \int dx_1 dx_2 f_g(x_1) f_g(x_2) \sigma_{gg}(sx_1 x_2)$$

Spira, Krämer, Dittmaier

LO **NLO**

Shower approach (2 → 1)



$$\sigma(s) = \int dx_1 dx_2 f_b(x_1) f_{\bar{b}}(x_2) \sigma_{b\bar{b}}(sx_1 x_2)$$

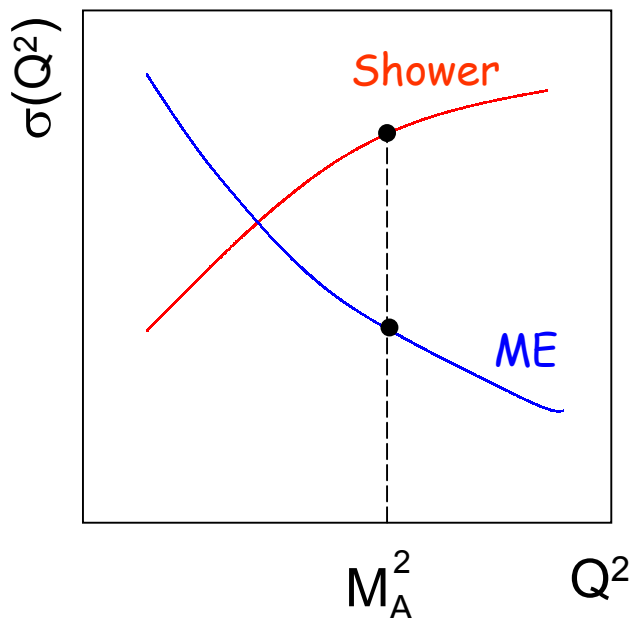
Dicus, Stelzer, Sullivan, Willenbrock

LO, NLO

LO

$$\sigma = \int dx_1 dx_2 f_i(x_1) f_j(x_2) \sigma_{ij}(sx_1 x_2)$$

$$f \equiv f(x, Q_F^2) \quad \sigma_{ij} \equiv \sigma_{ij}(Q_R^2)$$

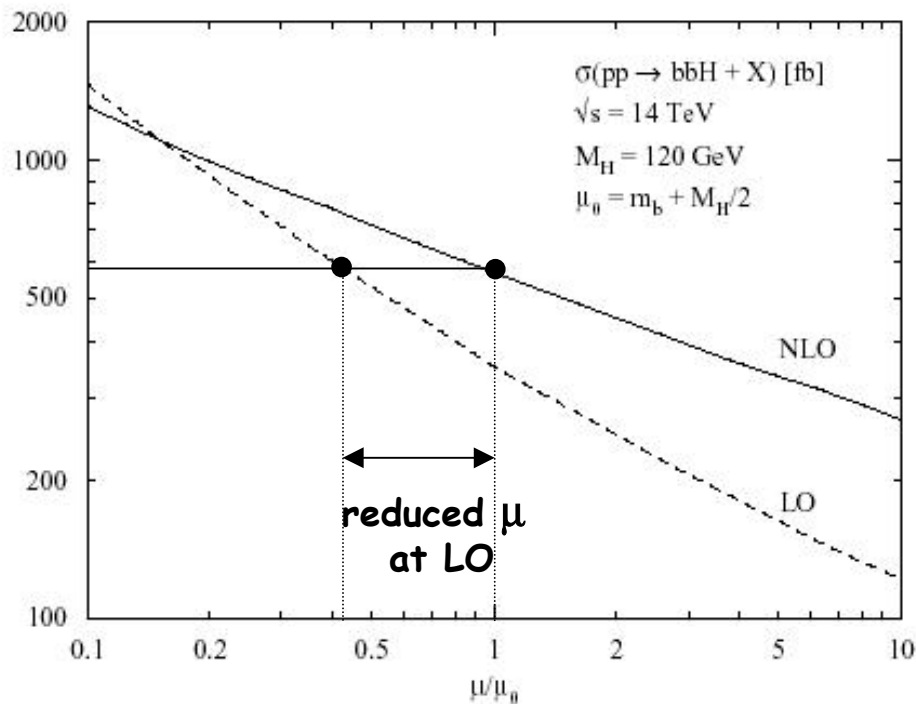


Q_F = factorization scale
 Q_R = Renormalization scale
 $Q_R^2 = Q_F^2 = Q^2$

NLO

hep-ph/0309204

Dittmaier, Kramer, Spira
 $q\bar{q}, gg \rightarrow b\bar{b}h$ at NLO



‘ Subtle is the Lord, but not malicious ’

A. Einstein

If the Higgs boson does not exist, let us hope that there is something very similar.